# Research Journal of Pharmaceutical, Biological and Chemical Sciences 

# Quantum-Chemical Study of the Cytotoxic Activity of PyrimidineBenzimidazol Hybrids against MCF-7, MGC-803, EC-9706 and SMMC-7721 Human Cancer Cell Lines. 

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## ABSTRACT

We present a study of the relationships between the electronic structure and the cytotoxicity against four human cancer cell lines of a group of pyrimidine-benzimidazol hybrids. The electronic structure of all the molecules was calculated within the Density Functional Theory at the B3LYP/6-31g(d,p) level with full geometry optimization. For all cell lines, we found statistically significant relationships between the variation of the cytotoxicity and the variation of the values of several local atomic reactivity indices belonging to a common molecular skeleton. An enlarged common skeleton produced better results. The corresponding partial pharmacophores associated with high inhibitory activity were proposed for both common skeletons of each cell line. The merging of the two partial pharmacophores should help the experimentalists in the search of new compounds. The nature of the results obtained here strongly suggests that the molecules act at a single site in each cell line.
Keywords: QSAR, quantum chemistry, DFT, reactivity indices, cytotoxicity, MCF-7, MGC-803, EC-9706, SMMC7721.

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## INTRODUCTION

Cytotoxicity (CT) is defined as the quality of being toxic to cells. A toxic molecule may lead to cell necrosis, to a decrease in cell viability or to apoptosis. The main goal of the experimental measurement of toxicity in large series of molecules is the discovery of compounds that are selective against tumor cells while keeping healthy cells unharmed. This is attested by the great number of papers published during this year (2015) [1-24]. Cytotoxic effects can be checked by evaluating the cell membrane integrity (propidium iodide assay, lactate dehydrogenase assay). A different technique is employing the 3-(4,5-dimethyl-2-thiazolyl)-2,5-diphenyl-2H-tetrazolium bromide (MTT) assay.

Viable cells with active metabolism change MTT into a purple colored formazan product. A dead cell loses the ability to convert MTT into formazan, so color formation serves as an appropriate marker of only the viable cells. The quantity of formazan (supposed to be directly proportional to the quantity of viable cells) is measured by recording changes in absorbance at 570 nm . There are several other methods. On the other hand, one of the roles of quantum chemistry is to carry out studies on the relationship between the electronic structure of these molecules and their cytotoxic activity.

They should lead to the building of pharmacophores (a theoretical construct showing the microscopic characteristics of the action site), the detection of atoms involved in the activity and the suggestion of atoms serving as sites of substitution for improved cytotoxicity and/or selectivity. A searching of the literature shows that numerous series of molecules have been tested for CT against a given cancer cell line (MCF-7 for example). We have not found a paper integrating the results obtained from these very different series into a unique interaction model. This is probably due to the lack of formal structure-cytotoxicity relationships studies (SCR).

The only way to integrate the results into a unified interaction model is by carrying out the theoretical studies with exactly the same methodology (ab initio Hartree-Fock, DFT, etc.). In our Unit we have carried out several SCR studies for several series of molecules and cell lines [25-34]. Here we present the results of a formal SCR study for a family of pyrimidine-benzimidazol hybrids recently published [35]. In addition to its intrinsic scientific value, this study will contribute to enlarge the data set necessary to build the abovementioned unified interaction model.

## METHODS, MODELS AND CALCULATIONS

As the model-based method relating biological activity with electronic structure has been described in detail in a number of papers [34, 36-38], we present here only a short summary. The biological activity is a linear function of several local atomic reactivity indices (LARIs) and has the following form [39-43]:

$$
\begin{align*}
& \log \left(\mathrm{IC}_{50}\right)=a+b M_{D_{i}}+c \log \left[\sigma_{D_{i}} /(A B C)^{1 / 2}\right]+\sum_{j}\left[e_{j} Q_{j}+f_{j} S_{j}^{E}+s_{j} S_{j}^{N}\right]+ \\
& +\sum_{j} \sum_{m}\left[h_{j}(m) F_{j}(m)+x_{j}(m) S_{j}^{E}(m)\right]+\sum_{j} \sum_{m^{\prime}}\left[r_{j}\left(m^{\prime}\right) F_{j}\left(m^{\prime}\right)+t_{j}\left(m^{\prime}\right) S_{j}^{N}\left(m^{\prime}\right)\right]+ \\
& +\sum_{j}\left[g_{j} \mu_{j}+k_{j} \eta_{j}+o_{j} \omega_{j}+z_{j} \zeta_{j}+w_{j} Q_{j}^{\max }\right]+\sum_{K=1}^{U} O_{K} \tag{1}
\end{align*}
$$

where $M$ is the drug's mass, $\sigma$ its symmetry number and $A B C$ the product of the drug's moments of inertia about the three principal axes of rotation. $Q_{i}$ is the net charge of atom $\mathrm{j}, S_{j}^{E}$ and $S_{j}^{N}$ are, respectively, the total atomic electrophilic and nucleophilic superdelocalizabilities of atom $\mathrm{j}, F_{j, m}\left(F_{j, m^{\prime}}\right)$ is the Fukui index of the occupied (vacant) MO $m\left(m^{\prime}\right)$ localized on atom $\mathrm{j} . S_{j}^{E}(m)$ is the atomic electrophilic superdelocalizability of MO m localized on atom $j$, etc. The total atomic electrophilic superdelocalizability of atom $j$ corresponds to the sum over occupied MOs of the $S_{j}^{E}(m)$ 's and the total atomic nucleophilic superdelocalizability of atom $j$ is the sum over vacant MOs of the $S_{j}^{N}(m)$ 's. $\mu_{j}$ is the local atomic electronic chemical potential of atom $\mathrm{j}, \eta_{j}$ is the local atomic hardness of atom j, $\omega_{j}$ is the local atomic electrophilicity of atom j, $\zeta_{j}$ is the local atomic softness
of atom j , and $Q_{j}^{\max }$ is the maximal amount of electronic charge that atom j may accept from another site. $\mathrm{HOMO}_{j}{ }^{*}$ refers to the highest occupied molecular orbital localized on atom j and $\mathrm{LUMO}_{j}{ }^{*}$ to the lowest empty MO localized on atom j .

They are called the local atomic frontier MOs. The $O_{K}$ 's are the orientational parameters of the substituents. The selected molecules are shown in Fig. 1 and Table 1. The experimental data selected for this study are the concentrations required to achieve the $50 \%$ inhibition of the tumor growth expressed as $\mathrm{IC}_{50}$ (cytotoxicity or inhibitory activity). This value is reported for four human cancer cell lines including MCF-7 (human breast cancer cell line), MGC-803 (human gastric cancer cell line), EC-9706 (human esophageal cancer cell line) and SMMC-7721 (human liver cancer cell line) using the MTT assay method. The IC50 ( $\mu \mathrm{M}$ ) values are listed in Table 1 [35].


Figure 1: Structure of the pyrimidine-benzimidazol hybrids.
Table 1. Pyrimidine-benzimidazol hybrids and their biological activities.

| Mol | $\mathrm{R}_{1}$ | $\mathrm{R}_{2}$ | $\log \left(\mathrm{IC}_{50}\right)$ <br> MCF-7 | $\begin{aligned} & \hline \log \left(\mathrm{IC}_{50}\right) \\ & \mathrm{MGC}-803 \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline \log \left(\mathrm{IC}_{50}\right) \\ & \mathrm{EC}-9706 \end{aligned}$ | $\begin{gathered} \log \left(\mathrm{IC}_{50}\right) \\ \text { SMMC- } 7721 \\ \hline \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | H | OH | 1.38 | 1.32 | 1.55 | 1.75 |
| 2 | Cl | OH | 1.36 | 1.29 | 1.51 | 1.73 |
| 3 | H | Cl | 1.01 | 0.99 | 1.38 | 1.48 |
| 4 | Cl | Cl | 0.85 | 0.91 | 1.37 | 1.45 |
| 5 | H | 4-Me- $\mathrm{C}_{6} \mathrm{H}_{4}$-NH | 0.16 | 0.12 | 0.52 | 1.31 |
| 6 | H | $4-\mathrm{OMe}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 0.46 | 0.31 | 0.77 | 1.02 |
| 7 | H | $4-\mathrm{F}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 0.63 | 0.36 | 0.93 | 1.35 |
| 8 | H | $4-\mathrm{Cl}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 1.09 | 0.51 | 1.36 | 1.35 |
| 9 | H | $3-\mathrm{CF}_{3}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 0.88 | 0.58 | 0.98 | 1.46 |
| 10 | H | $2-\mathrm{OMe}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | -- | 1.66 | -- | -- |
| 11 | H | $\mathrm{C}_{6} \mathrm{H}_{5}-\mathrm{NH}$ | 0.75 | 0.79 | 1.00 | 1.50 |
| 12 | H | $3-\mathrm{Me}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 1.56 | 1.52 | 1.60 | 1.76 |
| 13 | H | $4-\mathrm{Bu}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 1.25 | 1.18 | 1.33 | 1.65 |
| 14 | H | $4-i-\mathrm{Pr}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 1.38 | 1.30 | 1.71 | 1.83 |
| 15 | H | $2-\mathrm{F}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 0.93 | 0.86 | 1.20 | 1.59 |
| 16 | H | $3-\mathrm{Cl}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 1.29 | 1.22 | 1.30 | 1.50 |
| 17 | Cl | 4-Me- $\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 0.15 | 0.03 | 0.45 | 1.29 |
| 18 | Cl | $4-\mathrm{OMe}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 0.29 | 0.03 | 0.57 | 1.11 |
| 19 | Cl | $4-\mathrm{F}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 0.80 | 0.63 | 1.34 | 1.15 |
| 20 | Cl | $4-\mathrm{Cl}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 1.02 | 0.64 | 1.19 | 1.31 |
| 21 | Cl | $3-\mathrm{CF}_{3}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | 0.68 | 0.42 | 0.77 | 1.41 |
| 22 | Cl | 4- $\mathrm{CH}_{3} \mathrm{CH}_{2} \mathrm{OCO}-\mathrm{C}_{6} \mathrm{H}_{4}-\mathrm{NH}$ | -- | 1.73 | -- | -- |

The electronic structure of all the molecules was calculated within DFT at the B3LYP/6-311g(d,p) level with the Gaussian program [44]. After full geometry optimization and single point calculations, all the numerical values for the electronic local atomic reactivity indices of Eq. 1 were calculated with the D-Cent-

QSAR software [45]. Negative electron populations coming from Mulliken Population Analysis were corrected as usual [46]. We made use of Linear Multiple Regression Analysis (LMRA) techniques to find the best solution of the system of equations 1 [47]. For each case (cell line), a matrix was built containing the logarithm of the dependent variable ( $\mathrm{IC}_{50}$ ) and the local atomic reactivity indices of all atoms of a common skeleton (defined as a set of atoms common to all molecules that accounts for virtually all the biological activity) as independent variables [37, 38]. The common skeleton numbering is shown in Fig. 2. The Statistica software was used for LMRA [47].


Figure 2. Common skeleton numbering.

## RESULTS

## Results for the SMMC-7721 cell line

The best equation obtained is:
$\log \left(I C_{50}\right)=1.50-0.07 S_{8}^{N}(L U M O+1) *-0.11 S_{10}^{N}(L U M O+2) *$
$+3.35 F_{4}(L U M O+2) *-0.40 F_{7}(L U M O+2) *+2.89 F_{15}(L U M O+2) *$
$-0.27 F_{24}(\mathrm{HOMO}-2)^{*}$
with $n=20, R=0.94, R^{2}=0.88$, adj. $R^{2}=0.82, F(6,13)=15.66(p<0.00003)$ and a standard error of estimate of 0.09 . No outliers were detected and no residuals fall outside the $\pm 2 \sigma$ limits. Here, $S_{8}^{N}(L U M O+1) *$ is the orbital nucleophilic superdelocalizability of the second lowest vacant MO localized on atom $8, S_{10}^{N}(L U M O+2) *$ is the orbital nucleophilic superdelocalizability of the third lowest vacant MO localized on atom 10, $F_{4}(L U M O+2)^{*}$ is the Fukui index of the third lowest vacant MO localized on atom 4, $F_{7}(L U M O+2)^{*}$ is the Fukui index of the third lowest vacant MO localized on atom 7, $F_{15}(L U M O+2)^{*}$ is the Fukui index of the third lowest vacant MO localized on atom 15 and $F_{24}(H O M O-2)^{*}$ is the Fukui index of the third highest occupied MO localized on atom 24 (see Fig. 2 for atom numbering). Table 2 shows the beta coefficients and the results of the t-test for significance of coefficients. Table 3 displays the squared correlation coefficients for the variables appearing in Eq. 2, showing that there are no significant internal correlations. Fig. 3 displays the plot of observed vs. calculated $\log \left(\mathrm{IC}_{50}\right)$ values. The associated statistical parameters of Eq. 2 indicate that this equation is statistically significant and that the variation of the numerical value of a group of six local atomic reactivity indices of atoms of the common skeleton explains about $82 \%$ of the variation of the inhibitory activity (cytotoxicity) against SMMC7721 cells.

Table 2:Beta coefficients and $\boldsymbol{t}$-test for significance of the coefficients in Eq. 2.

|  | Beta | $\mathrm{t}(13)$ | p -level |
| :--- | :--- | :--- | :--- |
| $S_{8}^{N}(L U M O+1)^{*}$ | -0.67 | -6.63 | $<0.00002$ |
| $S_{10}^{N}(L U M O+2)^{*}$ | -0.44 | -4.13 | $<0.001$ |
| $F_{4}(L U M O+2)^{*}$ | 0.51 | 4.64 | $<0.0005$ |
| $F_{7}(L U M O+2)^{*}$ | -0.41 | -3.52 | $<0.004$ |
| $F_{15}(L U M O+2)^{*}$ | 0.38 | 3.49 | $<0.004$ |
| $F_{24}(H O M O-2)^{*}$ | -0.24 | -2.21 | $<0.045$ |

Table 3: Squared correlation coefficients for the variables appearing in Eq. 2.

|  | $S_{8}^{N}(L U M O+1)^{*}$ | $S_{10}^{N}(L U M O+2)^{*}$ | $F_{4}(L U M O+2)^{*}$ | $F_{7}(L U M O+2)^{*}$ | $F_{15}(L U M O+2)^{*}$ |
| :--- | :---: | :---: | :---: | :---: | :---: |
| $S_{10}^{N}(L U M O+2)^{*}$ | 0.01 | 1.00 |  |  |  |
| $F_{4}(L U M O+2)^{*}$ | -0.02 | 0.10 | 1.00 |  |  |
| $F_{7}(L U M O+2)^{*}$ | -0.06 | 0.40 | 0.42 | 1.00 |  |
| $F_{15}(L U M O+2)^{*}$ | 0.19 | 0.10 | -0.19 | -0.01 | 1.00 |
| $F_{24}(H O M O-2)^{*}$ | -0.15 | -0.00 | -0.07 | -0.07 | 0.34 |



Figure 3: Observed versus calculated values (Eq. 2) of $\log \left(I_{50}\right)$. Dashed lines denote the $95 \%$ confidence interval.

Results for the MGC-803 cell line.
A LMRA with all molecules detected one outlier. After deleting it, the best equation obtained is:

$$
\begin{align*}
& \log \left(I C_{50}\right)=8.35-13.91 F_{25}(L U M O+2)^{*}+2.12 S_{12}^{N}(L U M O+2) *+  \tag{3}\\
& 0.14 S_{11}^{N}(L U M O+2) *+4.54 F_{4}(L U M O+2)^{*}
\end{align*}
$$

with $n=21, R=0.87, R^{2}=0.76$, adj. $R^{2}=0.70, F(4,16)=12.48$ ( $p<0.00009$ ) and a standard error of estimate of 0.27 . No outliers were detected and no residuals fall outside the $\pm 2 \sigma$ limits. Here, $F_{25}(L U M O+2)^{*}$ is the Fukui index of the third lowest vacant MO localized on atom 25, $S_{12}^{N}(L U M O+2)^{*}$ is the nucleophilic superdelocalizability of the third lowest vacant MO localized on atom 12, $S_{11}^{N}(L U M O+2)^{*}$ is the nucleophilic superdelocalizability of the third lowest vacant MO localized on atom 11 and $F_{4}(L U M O+2) *$ is the Fukui index of the third lowest MO localized on atom 4 (see Fig. 2 for atom numbering). Table 4 shows the beta coefficients and the results of the t-test for significance of coefficients. Table 5 displays the squared correlation coefficients for the variables appearing in Eq. 3, showing that there are no significant internal correlations. Fig. 4 displays the plot of observed vs. calculated $\log \left(\mathrm{IC}_{50}\right)$ values. The associated statistical parameters of Eq. 4 indicate that this equation is statistically significant and that the variation of the numerical value of a group of four local atomic reactivity indices of atoms of the common skeleton explains about $70 \%$ of the variation of the inhibitory activity against MGC-803 cells.

Table 4: Beta coefficients and $\boldsymbol{t}$-test for significance of the coefficients in Eq. 3.

|  | Beta | $\mathrm{t}(16)$ | p-level |
| :--- | :--- | :--- | :--- | :--- |
| $F_{25}(L U M O+2)^{*}$ | -0.79 | -5.86 | $<0.00002$ |
| $S_{12}^{N}(L U M O+2)^{*}$ | 0.86 | 5.39 | $<0.00006$ |
| $S_{11}^{N}(L U M O+2)^{*}$ | 0.64 | 4.00 | $<0.001$ |
| $F_{4}(L U M O+2) *$ | 0.31 | 2.46 | $<0.03$ |

Table 5: Squared correlation coefficients for the variables appearing in Eq. 3.

|  | $F_{25}(L U M O+2)^{*}$ | $S_{12}^{N}(L U M O+2)^{*}$ | $S_{11}^{N}(L U M O+2)^{*}$ |
| :---: | :---: | :---: | :---: |
| $S_{12}^{N}(L U M O+2)^{*}$ | 0.18 | 1.00 |  |
| $S_{11}^{N}(L U M O+2)^{*}$ | 0.18 | -0.57 | 1.00 |
| $F_{4}(L U M O+2)^{*}$ | 0.10 | -0.12 | 0.13 |



Figure 4: Observed versus calculated values (Eq. 3) of $\log \left(\mathrm{IC}_{50}\right)$. Dashed lines denote the $95 \%$ confidence interval.

## Results for the MCF-7 cell line.

The equation obtained is:
$\log \left(I C_{50}\right)=3.58-150.47 F_{25}(L U M O) *-1.46 F_{5}(L U M O+1)^{*}$
$+4.66 F_{11}(L U M O+2) *+1.15 S_{7}^{E}(H O M O-2) *+3.59 F_{18}(L U M O+1) *$
with $\mathrm{n}=20, \mathrm{R}=0.92 \mathrm{R}^{2}=0.84$, adj. $\mathrm{R}^{2}=0.78, \mathrm{~F}(5,14)=14.55$ ( $\mathrm{p}<0.00004$ ) and a standard error of estimate of 0.19. No outliers were detected and no residuals fall outside the $\pm 2 \sigma$ limits. Here, $F_{25}(L U M O) *$ is the Fukui index of the lowest vacant MO localized on atom $25, F_{5}(L U M O+1) *$ is the Fukui index of the second lowest vacant MO localized on atom $5, F_{11}(L U M O+2)^{*}$ is the Fukui index of the third lowest vacant MO localized on atom 11, $S_{7}^{E}(H O M O-2)^{*}$ is the electrophilic superdelocalizability of the third highest occupied MO localized on atom 7 and $F_{18}(L U M O+1)^{*}$ is the Fukui index of the second lowest vacant MO localized on atom 18 (see Fig. 2 for atom numbering).

Table 6 shows the beta coefficients and the results of the t-test for significance of coefficients. Table 7 displays the squared correlation coefficients for the variables appearing in Eq. 4, showing that there are no significant internal correlations. Fig. 5 displays the plot of observed vs. calculated $\log \left(\mathrm{IC}_{50}\right)$ values. The associated statistical parameters of Eq. 4 indicate that this equation is statistically significant and that the variation of the numerical value of a group of five local atomic reactivity indices of atoms of the common skeleton explains about $78 \%$ of the variation of the inhibitory activity against MCF-7 cells.

Table 6: Beta coefficients and $t$-test for significance of the coefficients in Eq. 4.

|  | Beta | $\mathrm{t}(14)$ | p -level |
| :--- | :--- | :--- | :--- | :--- |
| $F_{25}(L U M O)^{*}$ | -0.81 | -7.01 | $<0.000006$ |
| $F_{5}(L U M O+1)^{*}$ | -0.63 | -5.35 | $<0.0001$ |
| $F_{11}(L U M O+2)^{*}$ | 0.75 | 5.34 | $<0.0001$ |
| $S_{7}^{E}(H O M O-2)^{*}$ | 0.40 | 3.48 | $<0.004$ |
| $F_{18}(L U M O+1)^{*}$ | 0.46 | 3.44 | $<0.004$ |

Table 7: Squared correlation coefficients for the variables appearing in Eq. 4.

|  | $F_{25}(L U M O)^{*}$ | $F_{5}(L U M O+1)^{*}$ | $F_{11}(L U M O+2)^{*}$ | $S_{7}^{E}(H O M O-2)^{*}$ |
| :--- | :--- | :--- | :--- | :--- |
| $F_{5}(L U M O+1)^{*}$ | -0.22 | 1.00 |  |  |
| $F_{11}(L U M O+2)^{*}$ | 0.09 | 0.21 | 1.00 |  |
| $S_{7}^{E}(H O M O-2)^{*}$ | -0.04 | 0.22 | -0.21 | 1.00 |
| $F_{18}(L U M O+1)^{*}$ | 0.15 | -0.11 | -0.56 | 0.08 |



Figure 5: Observed versus calculated values (Eq. 4) of $\log \left(\mathrm{IC}_{50}\right)$. Dashed lines denote the $95 \%$ confidence interval.

## Results for the EC-9706 cell line:

No statistically significant equation was obtained for all the set. Extracting the molecule with the highest $I C_{50}$ value (this way has worked well before) we obtained the following equation:

$$
\begin{align*}
& \log \left(I C_{50}\right)=5.60-21.42 s_{14}-0.14 S_{19}^{E}(H O M O-1)^{*}+0.33 S_{2}^{E}(H O M O)^{*}+ \\
& +7.20 F_{4}(L U M O+2)^{*}+0.95 F_{20}(L U M O+2)^{*}+0.73 F_{9}(H O M O)^{*} \tag{5}
\end{align*}
$$

with $n=19, R=0.97, R^{2}=0.93$, adj. $R^{2}=0.90, F(6,12)=27.77$ ( $p<0.000001$ ) and a standard error of estimate of 0.11 . No outliers were detected and no residuals fall outside the $\pm 2 \sigma$ limits. Here, $S_{14}$ is the local atomic softness of atom $14, S_{19}^{E}(H O M O-1)^{*}$ is the Fukui index of the second highest occupied MO localized on atom 19, $S_{2}^{E}(H O M O) *$ is the electrophilic superdelocalizability of the highest occupied MO localized on atom 2, $F_{4}(L U M O+2) *$ is the Fukui index of the third lowest vacant MO localized on atom 4, $F_{20}(L U M O+2)^{*}$ is the Fukui index of the third lowest vacant MO localized on atom 20 and $F_{9}(\mathrm{HOMO})^{*}$ is the Fukui index of the highest occupied MO localized on atom 9 (see Fig. 2 for atom numbering).

Table 8: Beta coefficients and $\boldsymbol{t}$-test for significance of the coefficients in Eq. 5.

|  | Beta | $\mathrm{t}(12)$ | p -level |
| :--- | :--- | :--- | :--- | :--- |
| $s_{14}$ | -0.81 | -8.49 | $<0.000002$ |
| $S_{19}^{E}(\mathrm{HOMO}-1)^{*}$ | -0.27 | -3.26 | $<0.007$ |
| $S_{2}^{E}(\mathrm{HOMO})^{*}$ | 0.61 | 6.58 | $<0.00003$ |
| $F_{4}(\mathrm{LUMO}+2)^{*}$ | 0.68 | 6.36 | $<0.00004$ |
| $F_{20}(\mathrm{LUMO}+2)^{*}$ | 0.55 | 4.85 | $<0.0004$ |
| $F_{9}(\mathrm{HOMO})^{*}$ | -0.26 | -2.85 | $<0.01$ |

Table 8 shows the beta coefficients and the results of the t-test for significance of coefficients. Table 9 displays the squared correlation coefficients for the variables appearing in Eq. 5, showing that there are no significant internal correlations. Fig. 6 displays the plot of observed vs. calculated $\log \left(\mathrm{IC}_{50}\right)$ values. The associated statistical parameters of Eq. 5 indicate that this equation is statistically significant and that the variation of the numerical value of a group of five local atomic reactivity indices of atoms of the common skeleton explains about $90 \%$ of the variation of the inhibitory activity against EC-9706 cells.

Table 9: Squared correlation coefficients for the variables appearing in Eq. 5.

|  | $S_{14}$ | $S_{19}^{E}(\mathrm{HOMO}-1)^{*}$ | $S_{2}^{E}(\mathrm{HOMO})^{*}$ | $F_{4}(\mathrm{LUMO}+2)^{*}$ | $F_{20}(\text { LUMO }+2)^{*}$ |
| :--- | :--- | :---: | :---: | :---: | :---: |
| $S_{19}^{E}(H O M O-1)^{*}$ | 0.15 | 1.00 |  |  |  |
| $S_{2}^{E}(H O M O)^{*}$ | 0.17 | -0.24 | 1.00 |  |  |
| $F_{4}(L U M O+2)^{*}$ | -0.19 | 0.13 | -0.38 | 1.00 |  |
| $F_{20}(L U M O+2)^{*}$ | 0.56 | -0.10 | 0.17 | -0.50 | 1.00 |
| $F_{9}(H O M O)^{*}$ | 0.14 | 0.18 | 0.20 | 0.24 | 0.14 |



Figure 6. Observed versus calculated values (Eq. 5) of $\log \left(I_{50}\right)$. Dashed lines denote the $95 \%$ confidence interval.

## DISCUSSION

## Molecular Electrostatic Potential (MEP):

Molecules that need to be recognized and guided to their action site(s) should have a qualitatively similar 3D MEP map. Figure 7 shows the MEP map of molecules 17 and 1 at $4.5 \AA$ from the nuclei (with the fully optimized geometries) [48].


Figure 7. MEP map of molecules 17 (left) and 1 (right) at $4.5 \AA$ A of the nuclei.

We can see that there in both molecules the left side is surrounded by a negative MEP. The right side has a positive MEP region surrounding it. If we disregard the extra phenyl substituent of molecule 17 , the remaining region has a qualitatively similar MEP distribution. We hypothesize that this area is the one facing the site for recognition and guidance. Figure 8 shows the MEP map of the same molecules for surfaces with isovalues of $\pm 0.01$ [49].


Figure 8. MEP map of molecules 17 (left) and 1 (right). The grey isovalue surface corresponds to negative MEP values ( -0.01 ) and the reddish isovalue surface to positive MEP values ( 0.01 ).

We can see that, at the same isovalue, the MEP distribution is qualitatively similar around the A-B ring system. Because of the conformational flexibility of the rest of the molecule and our lack of knowledge of the conformation(s) adopted in the active site, it is very difficult to provide a sure statement about the role of MEP.

## Conformational aspects

Molecule 17 is one of the most active in the series against all cell lines and molecule 1 one of the least active one. Figure 9 shows the ten lowest energy conformers of both molecules obtained with MarvinView and superimposed with Hyperchem (rings A and B were employed as a common element) [50,51].


Figure 9. Superimposition of the ten lowest energy conformers of molecules 1 (left) and 17 (right).
We can see that both molecules have a high degree of conformational flexibility. Notice that in molecule 17 there are two conformers in which rings A-B engage in a $\pi-\pi$ stacking interaction with other aromatic rings. In the case of molecule 1 there are four of such interactions. It is the (unknown) microscopic environment at the action site that will select one of these conformers as the active one.

## Local Molecular Orbital Structure

Tables 10-13 show the local MO structure of atoms appearing in Eqs. 2-5 (the nomenclature is: Molecule (HOMO) / (HOMO-2)* (HOMO-1)* (HOMO)* - (LUMO)* (LUMO+1)* (LUMO+2)*, Ip refers to a lone pair).

Table 10: Local Molecular Orbital Structure of atoms 2, 4, 5 and 7 of Pyrimidine-Benzimidazol Hybrids.

| Mol | Mol. | Atom 2 | Atom 4 | Atom 5 | Atom 7 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 3a | 1 (87) | $\begin{aligned} & \hline 85 \pi 86 \pi 87 \pi- \\ & 90 \pi 93 \pi 94 \pi \end{aligned}$ | $\begin{aligned} & \hline 85 \pi 86 \pi 87 \pi- \\ & 90 \pi 91 \pi 93 \pi \end{aligned}$ | $\begin{aligned} & \hline 85 \pi 86 \pi 87 \pi- \\ & 93 \pi 94 \pi 96 \pi \end{aligned}$ | $\begin{gathered} \hline 66 \sigma 73 \sigma 74 \sigma- \\ 99 \sigma 100 \sigma 101 \sigma \end{gathered}$ |
| 3b | 2 (95) | $\begin{gathered} 93 \pi 94 \pi 95 \pi- \\ 98 \pi 101 \pi 102 \pi \end{gathered}$ | $\begin{gathered} 93 \pi 94 \pi 95 \pi- \\ 98 \pi 101 \pi 102 \pi \end{gathered}$ | $\begin{gathered} 93 \pi 94 \pi 95 \pi- \\ 98 \pi 101 \pi 102 \pi \\ \hline \end{gathered}$ | $\begin{gathered} 93 \pi 94 \pi 95 \pi- \\ 101 \pi 102 \pi 103 \sigma \\ \hline \end{gathered}$ |
| 4a | 3 (91) | $\begin{aligned} & \hline 89 \pi 90 \pi 91 \pi- \\ & 94 \pi 97 \pi 98 \pi \end{aligned}$ | $\begin{aligned} & \hline 89 \pi 90 \pi 91 \pi- \\ & 94 \pi 97 \pi 98 \pi \end{aligned}$ | $\begin{aligned} & \hline 89 \pi 90 \pi 91 \pi- \\ & 97 \pi 98 \pi 99 \pi \end{aligned}$ | $\begin{gathered} \hline 76 \sigma 77 \sigma 78 \sigma- \\ 103 \sigma 104 \sigma 105 \sigma \end{gathered}$ |
| 4b | 4 (99) | $\begin{gathered} 97 \pi 98 \pi 99 \pi- \\ 102 \pi 105 \pi 106 \pi \end{gathered}$ | $\begin{gathered} 94 \sigma 98 \pi 99 \pi- \\ 102 \pi 105 \pi 107 \pi \end{gathered}$ | $\begin{gathered} 97 \pi 98 \pi 99 \pi- \\ 105 \pi 106 \pi 107 \pi \end{gathered}$ | $\begin{gathered} 97 \pi 98 \pi 99 \pi- \\ 105 \pi 107 \pi 108 \sigma \end{gathered}$ |
| 5a | 5 (111) | $108 \pi 109 \pi 110 \pi-$ <br> $114 \pi 118 \pi 119 \pi$ | $\begin{aligned} & \hline 108 \pi 109 \pi 110 \pi- \\ & 114 \pi 118 \pi 119 \pi \end{aligned}$ | $108 \pi 109 \pi 110 \pi-$ <br> $118 \pi 119 \pi 120 \pi$ | $\begin{gathered} 91 \sigma 92 \sigma 94 \sigma- \\ 126 \sigma 127 \sigma 131 \sigma \end{gathered}$ |
| 5b | 6 (115) | $\begin{aligned} & \hline 112 \pi 113 \pi 114 \pi- \\ & 118 \pi 122 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & \hline 112 \pi 113 \pi 114 \pi- \\ & 118 \pi 122 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & \hline 112 \pi 113 \pi 114 \pi- \\ & 122 \pi 123 \pi 124 \pi \end{aligned}$ | 88096б98б$130 \sigma 132 \sigma 136 \sigma$ |
| 5c | 7 (111) | $\begin{aligned} & \hline 109 \pi 110 \pi 111 \pi- \\ & 115 \pi 118 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & \hline 109 \pi 110 \pi 111 \pi- \\ & 115 \pi 118 \pi 119 \pi \end{aligned}$ | $\begin{gathered} \hline 109 \pi 110 \pi 111 \pi- \\ 118 \pi 119 \pi 120 \pi \end{gathered}$ | $\begin{gathered} 92 \sigma 94 \sigma 96 \sigma- \\ 126 \sigma 127 \sigma 130 \sigma \end{gathered}$ |
| 5d | 8 (115) | $\begin{aligned} & 112 \pi 113 \pi 115 \pi- \\ & 119 \pi 122 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & 113 \pi 114 \pi 115 \pi- \\ & 119 \pi 122 \pi 123 \pi \end{aligned}$ | $\begin{gathered} 113 \pi 114 \pi 115 \pi- \\ 122 \pi 123 \pi 124 \pi \end{gathered}$ | $\begin{gathered} 89 \sigma 96 \sigma 98 \sigma- \\ 130 \sigma 131 \sigma 135 \sigma \end{gathered}$ |
| 5 e | 9 (123) | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 127 \pi 130 \pi 131 \pi \end{aligned}$ | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 127 \pi 131 \pi 132 \pi \end{aligned}$ | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 130 \pi 131 \pi 132 \pi \end{aligned}$ | $\begin{aligned} & 105 \sigma 106 \sigma 108 \sigma- \\ & 137 \sigma 138 \sigma 139 \sigma \end{aligned}$ |
| $5 f$ | 10 (115) | $\begin{aligned} & 112 \pi 113 \pi 114 \pi- \\ & 118 \pi 122 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & 112 \pi 113 \pi 114 \pi- \\ & 118 \pi 122 \pi 124 \pi \end{aligned}$ | $\begin{aligned} & 112 \pi 113 \pi 114 \pi- \\ & 122 \pi 123 \pi 124 \pi \end{aligned}$ | $\begin{gathered} 95 \sigma 96 \sigma 98 \sigma- \\ 130 \sigma 131 \sigma 132 \sigma \end{gathered}$ |
| 5h | 11 (107) | $\begin{aligned} & \hline 105 \pi 106 \pi 107 \pi- \\ & 110 \pi 114 \pi 115 \pi \end{aligned}$ | $\begin{aligned} & 105 \pi 106 \pi 107 \pi- \\ & 110 \pi 114 \pi 115 \pi \end{aligned}$ | $\begin{gathered} 105 \pi 106 \pi 107 \pi- \\ 114 \pi 115 \pi 116 \pi \end{gathered}$ | $\begin{gathered} 88 \sigma 89 \sigma 92 \sigma- \\ 122 \sigma 123 \sigma 126 \sigma \end{gathered}$ |
| $5 i$ | 12 (111) | $\begin{aligned} & 109 \pi 110 \pi 111 \pi- \\ & 114 \pi 118 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & 109 \pi 110 \pi 111 \pi- \\ & 114 \pi 118 \pi 120 \pi \end{aligned}$ | $\begin{gathered} \hline 109 \pi 110 \pi 111 \pi- \\ 118 \pi 119 \pi 120 \pi \\ \hline \end{gathered}$ | $\begin{gathered} 91 \sigma 92 \sigma 94 \sigma- \\ 126 \sigma 127 \sigma 131 \sigma \end{gathered}$ |
| 5 j | 13 (123) | $\begin{aligned} & \hline 120 \pi 121 \pi 122 \pi- \\ & 126 \pi 130 \pi 131 \pi \end{aligned}$ | $\begin{aligned} & \hline 120 \pi 121 \pi 122 \pi- \\ & 126 \pi 130 \pi 132 \pi \end{aligned}$ | $\begin{aligned} & \hline 120 \pi 121 \pi 122 \pi- \\ & 130 \pi 131 \pi 132 \pi \end{aligned}$ | $\begin{gathered} 101 \sigma 103 \sigma 104 \sigma- \\ 138 \sigma 140 \sigma 145 \sigma \end{gathered}$ |
| 5k | 14 (119) | $\begin{aligned} & \hline 116 \pi 117 \pi 118 \pi- \\ & 122 \pi 126 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 116 \pi 117 \pi 118 \pi- \\ & 122 \pi 126 \pi 128 \pi \end{aligned}$ | $\begin{gathered} 116 \pi 117 \pi 118 \pi- \\ 126 \pi 127 \pi 128 \pi \end{gathered}$ | $\begin{gathered} \hline 90 \sigma 97 \sigma 101 \sigma- \\ 134 \sigma 135 \sigma 136 \sigma \end{gathered}$ |
| 51 | 15 (111) | $\begin{aligned} & \hline 108 \pi 109 \pi 111 \pi- \\ & 114 \pi 118 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & \hline 109 \pi 110 \pi 111 \pi- \\ & 114 \pi 118 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & 108 \pi 109 \pi 111 \pi- \\ & 118 \pi 119 \pi 120 \pi \end{aligned}$ | $\begin{gathered} 93 \sigma 94 \sigma 96 \sigma- \\ 126 \sigma 127 \sigma 130 \sigma \\ \hline \end{gathered}$ |
| 5m | 16 (115) | $\begin{aligned} & \hline 113 \pi 114 \pi 115 \pi- \\ & 119 \pi 122 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & \hline 113 \pi 114 \pi 115 \pi- \\ & 119 \pi 122 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & \hline 113 \pi 114 \pi 115 \pi- \\ & 122 \pi 123 \pi 124 \pi \end{aligned}$ | $\begin{gathered} 89 \sigma 96 \sigma 98 \sigma- \\ 130 \sigma 131 \sigma 132 \sigma \end{gathered}$ |
| 6 a | 17 (119) | $\begin{aligned} & 116 \pi 117 \pi 118 \pi- \\ & 122 \pi 126 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 116 \pi 117 \pi 118 \pi- \\ & 122 \pi 126 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 116 \pi 117 \pi 118 \pi- \\ & 122 \pi 126 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 116 \pi 117 \pi 118 \pi- \\ & 126 \pi 128 \pi 129 \sigma \end{aligned}$ |
| 6b | 18 (123) | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 126 \pi 130 \pi 131 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 126 \pi 130 \pi 131 \pi \end{aligned}$ | $\begin{gathered} 120 \pi 121 \pi 122 \pi- \\ 126 \pi 130 \pi 131 \pi \end{gathered}$ | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 130 \pi 131 \pi 133 \sigma \end{aligned}$ |
| 6c | 19 (119) | $\begin{aligned} & 117 \pi 118 \pi 119 \pi- \\ & 122 \pi 126 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 116 \pi 117 \pi 118 \pi- \\ & 122 \pi 126 \pi 127 \pi \end{aligned}$ | $\begin{gathered} 117 \pi 118 \pi 119 \pi- \\ 126 \pi 127 \pi 129 \pi \end{gathered}$ | $\begin{aligned} & 116 \pi 117 \pi 118 \pi- \\ & 126 \pi 129 \sigma 130 \sigma \end{aligned}$ |
| 6d | 20 (123) | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 126 \pi 130 \pi 131 \pi \end{aligned}$ | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 126 \pi 130 \pi 132 \pi \end{aligned}$ | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 130 \pi 132 \pi 134 \pi \end{aligned}$ | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 130 \pi 132 \pi 134 \sigma \end{aligned}$ |
| 6 e | 21 (131) | $\begin{aligned} & 129 \pi 130 \pi 131 \pi- \\ & 135 \pi 138 \pi 139 \pi \end{aligned}$ | $\begin{aligned} & 128 \pi 129 \pi 131 \pi- \\ & 135 \pi 138 \pi 140 \pi \end{aligned}$ | $\begin{aligned} & 129 \pi 130 \pi 131 \pi- \\ & 135 \pi 138 \pi 140 \pi \end{aligned}$ | $\begin{aligned} & 129 \pi 130 \pi 131 \pi- \\ & 138 \pi 140 \pi 141 \sigma \end{aligned}$ |
| 6 f | 22 (123) | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 126 \pi 130 \pi 131 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 126 \pi 130 \pi 131 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 126 \pi 130 \pi 134 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 130 \pi 132 \sigma 133 \sigma \end{aligned}$ |

Table 11: Local Molecular Orbital Structure of atoms 8-11 of Pyrimidine-Benzimidazol Hybrids.

| Mol | Mol. | Atom 8 | Atom 9 | Atom 10 | Atom 11 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 3a | $\begin{aligned} & \hline 1 \\ & (87) \\ & \hline \end{aligned}$ | $\begin{aligned} & 83 \sigma 86 \pi 87 \pi- \\ & 90 \pi 91 \pi 95 \pi \end{aligned}$ | $\begin{aligned} & 79 \pi 82 \sigma 86 \pi- \\ & 90 \pi 91 \pi 93 \pi \end{aligned}$ | $\begin{aligned} & 85 \pi 86 \pi 87 \pi- \\ & 90 \pi 91 \pi 93 \pi \end{aligned}$ | $\begin{aligned} & 82 \sigma 85 \sigma 87 \sigma- \\ & 90 \sigma 91 \sigma 93 \sigma \end{aligned}$ |
| 3b | $\begin{aligned} & \hline 2 \\ & (95) \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 89 \sigma 90 \sigma 94 \pi- \\ & 97 \pi 98 \pi 102 \pi \end{aligned}$ | $\begin{aligned} & \hline 90 \sigma 94 \pi 95 \pi- \\ & 98 \pi 101 \pi 103 \pi \end{aligned}$ | $\begin{aligned} & \hline 93 \pi 94 \pi 95 \pi- \\ & 97 \pi 98 \pi 101 \pi \end{aligned}$ | $\begin{aligned} & \hline 90 \sigma 93 \sigma 95 \sigma- \\ & 98 \sigma 101 \sigma 102 \sigma \end{aligned}$ |
| 4a | $\begin{aligned} & \hline 3 \\ & (91) \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 87 \sigma 90 \pi 91 \pi- \\ & 94 \pi 99 \pi 100 \pi \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 86 \pi 90 \pi 91 \pi- \\ & 94 \pi 97 \pi 98 \pi \end{aligned}$ | $\begin{aligned} & \hline 89 \pi 90 \pi 91 \pi- \\ & 94 \pi 98 \pi 99 \pi \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 86 \sigma 89 \sigma 91 \sigma- \\ & 94 \sigma 97 \sigma 98 \sigma \end{aligned}$ |
| 4b | $\begin{aligned} & \hline 4 \\ & \text { (99) } \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 93 \sigma 94 \sigma 98 \pi- \\ & 102 \pi 107 \pi 108 \pi \end{aligned}$ | $\begin{aligned} & \hline 94 \pi 98 \pi 99 \pi- \\ & 102 \pi 105 \pi 106 \pi \end{aligned}$ | $\begin{aligned} & \hline 97 \sigma 98 \pi 99 \pi- \\ & 102 \pi 105 \pi 107 \pi \end{aligned}$ | $\begin{aligned} & \hline 92 \sigma 94 \sigma 97 \sigma- \\ & 102 \sigma 105 \sigma 106 \sigma \end{aligned}$ |
| 5a | $\begin{aligned} & \hline 5 \\ & (111) \\ & \hline \end{aligned}$ | $\begin{aligned} & 105 \sigma 109 \pi 110 \pi- \\ & 114 \pi 120 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & 103 \sigma 104 \sigma 109 \pi- \\ & 114 \pi 118 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & 108 \pi 109 \pi 110 \pi- \\ & 114 \pi 118 \pi 120 \pi \end{aligned}$ | $\begin{aligned} & 104 \sigma 108 \sigma 110 \sigma- \\ & 114 \sigma 118 \sigma 119 \sigma \end{aligned}$ |
| 5b | $\begin{aligned} & \hline 6 \\ & (115) \\ & \hline \end{aligned}$ | $\begin{aligned} & 109 \sigma 113 \pi 114 \pi- \\ & 118 \pi 125 \pi 126 \pi \end{aligned}$ | $\begin{aligned} & 107 \pi 108 \sigma 113 \pi- \\ & 118 \pi 122 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & 112 \sigma 113 \pi 114 \pi- \\ & 118 \pi 122 \pi 125 \pi \end{aligned}$ | $\begin{aligned} & 108 \sigma 112 \sigma 114 \sigma- \\ & 118 \sigma 122 \sigma 123 \sigma \end{aligned}$ |
| 5 c | $\begin{aligned} & \hline 7 \\ & (111) \end{aligned}$ | $\begin{aligned} & 106 \sigma 109 \pi 110 \pi- \\ & 115 \pi 120 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & 103 \pi 104 \pi 109 \pi- \\ & 115 \pi 118 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & 109 \pi 110 \pi 111 \pi- \\ & 115 \pi 118 \pi 120 \pi \end{aligned}$ | $\begin{aligned} & 104 \sigma 108 \sigma 110 \sigma- \\ & 115 \sigma 118 \sigma 120 \sigma \end{aligned}$ |
| 5d | $\begin{aligned} & 8 \\ & (115) \\ & \hline \end{aligned}$ | $\begin{aligned} & 113 \pi 114 \pi 115 \pi- \\ & 119 \pi 126 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 109 \sigma 113 \pi 114 \pi- \\ & 119 \pi 122 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & 113 \pi 114 \pi 115 \pi- \\ & 119 \pi 123 \pi 125 \pi \end{aligned}$ | $\begin{aligned} & 109 \sigma 112 \sigma 115 \sigma- \\ & 119 \sigma 122 \sigma 123 \sigma \end{aligned}$ |
| 5 e | $\begin{aligned} & \hline 9 \\ & (123) \end{aligned}$ | $\begin{aligned} & 118 \sigma 122 \pi 123 \pi- \\ & 127 \pi 13 \pi 2133 \pi \end{aligned}$ | $\begin{aligned} & 117 \sigma 121 \pi 122 \pi- \\ & 127 \pi 131 \pi 132 \pi \end{aligned}$ | $\begin{aligned} & 120 \sigma 121 \pi 123 \pi- \\ & 127 \pi 131 \pi 132 \pi \end{aligned}$ | $\begin{aligned} & \text { 117 } 120 \sigma 123 \sigma- \\ & 127 \sigma 130 \sigma 131 \sigma \end{aligned}$ |
| $5 f$ | $\begin{aligned} & 10 \\ & (115) \end{aligned}$ | $\begin{aligned} & 109 \sigma 113 \pi 114 \pi- \\ & 118 \pi 124 \pi 125 \pi \end{aligned}$ | $\begin{aligned} & 107 \sigma 108 \sigma 113 \pi- \\ & 118 \pi 122 \pi 124 \pi \end{aligned}$ | $\begin{aligned} & 108 \sigma 112 \pi 114 \pi- \\ & 118 \pi 122 \pi 124 \pi \end{aligned}$ | $\begin{aligned} & 108 \sigma 112 \sigma 114 \sigma- \\ & 118 \sigma 122 \sigma 123 \sigma \end{aligned}$ |
| 5h | $\begin{aligned} & 11 \\ & (107) \end{aligned}$ | $\begin{aligned} & 105 \pi 106 \pi 107 \pi- \\ & 110 \pi 116 \pi 117 \pi \end{aligned}$ | $\begin{aligned} & 100 \sigma 105 \pi 106 \pi- \\ & 110 \pi 114 \pi 115 \pi \end{aligned}$ | $\begin{aligned} & 105 \pi 106 \pi 107 \pi- \\ & 110 \pi 114 \pi 116 \pi \end{aligned}$ | 97б100б104б- <br> 110 $0114 \sigma 116 \sigma$ |
| $5 i$ | $\begin{aligned} & 12 \\ & (111) \\ & \hline \end{aligned}$ | $\begin{aligned} & 105 \sigma 109 \pi 110 \pi- \\ & 114 \pi 120 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & 103 \sigma 104 \sigma 109 \pi- \\ & 114 \pi 118 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & 109 \pi 110 \pi 111 \pi- \\ & 114 \pi 118 \pi 120 \pi \end{aligned}$ | $\begin{aligned} & 104 \sigma 108 \sigma 110 \sigma- \\ & 114 \sigma 118 \sigma 120 \sigma \end{aligned}$ |
| 5 | $\begin{aligned} & 13 \\ & (123) \end{aligned}$ | $\begin{aligned} & 117 \sigma 121 \pi 122 \pi- \\ & 126 \pi 132 \pi 133 \end{aligned}$ | $\begin{aligned} & 115 \sigma 116 \sigma 121 \pi- \\ & 126 \pi 130 \pi 131 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 126 \pi 130 \pi 132 \pi \end{aligned}$ | $\begin{aligned} & 116 \sigma 120 \sigma 122 \sigma- \\ & 126 \sigma 130 \sigma 132 \sigma \end{aligned}$ |
| 5k | $\begin{aligned} & 14 \\ & (119) \\ & \hline \end{aligned}$ | $\begin{aligned} & 113 \sigma 117 \pi 118 \pi- \\ & 122 \pi 128 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 111 \sigma 112 \sigma 117 \pi- \\ & 122 \pi 126 \pi 128 \pi \end{aligned}$ | $\begin{aligned} & 116 \sigma 117 \pi 118 \pi- \\ & 122 \pi 126 \pi 128 \pi \end{aligned}$ | $\begin{aligned} & 112 \sigma 116 \sigma 118 \sigma- \\ & 122 \sigma 126 \sigma 128 \sigma \end{aligned}$ |
| 51 | $\begin{aligned} & \hline 15 \\ & (111) \end{aligned}$ | $\begin{aligned} & 109 \pi 110 \pi 111 \pi- \\ & 114 \pi 120 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & 104 \sigma 109 \pi 110 \pi- \\ & 114 \pi 118 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & 109 \pi 110 \pi 111 \pi- \\ & 114 \pi 118 \pi 120 \pi \end{aligned}$ | $\begin{aligned} & 104 \sigma 108 \pi 111 \sigma- \\ & 114 \sigma 118 \sigma 120 \sigma \end{aligned}$ |
| 5m | $\begin{aligned} & \hline 16 \\ & (115) \\ & \hline \end{aligned}$ | $\begin{aligned} & 113 \pi 114 \pi 115 \pi- \\ & 119 \pi 125 \pi 126 \pi \end{aligned}$ | $\begin{aligned} & 108 \sigma 113 \pi 114 \pi- \\ & 119 \pi 122 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & \hline 112 \pi 113115 \pi- \\ & 119 \pi 120 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & 108 \sigma 112 \sigma 115 \sigma- \\ & 119 \sigma 122 \sigma 123 \sigma \end{aligned}$ |
| 6a | $\begin{aligned} & 17 \\ & (119) \end{aligned}$ | $\begin{aligned} & 111 \sigma 112 \sigma 117 \pi- \\ & 122 \pi 127 \pi 128 \pi \end{aligned}$ | $\begin{aligned} & 111 \sigma 117 \pi 118 \pi- \\ & 122 \pi 126 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 116 \pi 117 \pi 118 \pi- \\ & 121 \pi 122 \pi 126 \pi \end{aligned}$ | $\begin{aligned} & 112 \sigma 116 \sigma 118 \sigma- \\ & 122 \sigma 126 \sigma 127 \sigma \end{aligned}$ |
| 6b | $\begin{aligned} & 18 \\ & (123) \end{aligned}$ | $\begin{aligned} & 115 \sigma 116 \sigma 121 \pi- \\ & 126 \pi 131 \pi 133 \pi \end{aligned}$ | $\begin{aligned} & 115 \sigma 121 \pi 122 \pi- \\ & 126 \pi 130 \pi 133 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 125 \pi 126 \pi 130 \pi \end{aligned}$ | $\begin{aligned} & 116 \sigma 120 \sigma 122 \sigma- \\ & 126 \sigma 130 \sigma 131 \sigma \end{aligned}$ |
| 6c | $\begin{aligned} & \hline 19 \\ & (119) \end{aligned}$ | $\begin{aligned} & 111 \sigma 112 \sigma 117 \pi- \\ & 122 \pi 127 \pi 128 \pi \end{aligned}$ | $\begin{aligned} & 111 \sigma 117 \pi 118 \pi- \\ & 122 \pi 126 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 116 \pi 117 \pi 118 \pi- \\ & 121 \pi 122 \pi 126 \pi \end{aligned}$ | $\begin{aligned} & 112 \sigma 116 \sigma 118 \sigma- \\ & 122 \sigma 126 \sigma 127 \sigma \end{aligned}$ |
| 6d | $\begin{aligned} & \hline 20 \\ & (123) \end{aligned}$ | $\begin{aligned} & 115 \sigma 116 \sigma 121 \pi- \\ & 126 \pi 132 \pi 134 \pi \end{aligned}$ | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 126 \pi 130 \pi 134 \pi \end{aligned}$ | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 126 \pi 130 \pi 134 \pi \end{aligned}$ | $\begin{aligned} & 111 \sigma 116 \sigma 120 \sigma- \\ & 126 \sigma 130 \sigma 131 \sigma \end{aligned}$ |
| 6 e | $\begin{aligned} & 21 \\ & (131) \end{aligned}$ | $\begin{aligned} & 125 \sigma 129 \pi 130 \pi- \\ & 135 \pi 140 \pi 141 \pi \end{aligned}$ | $\begin{aligned} & 129 \pi 130 \pi 131 \pi- \\ & 135 \pi 138 \pi 141 \pi \end{aligned}$ | $\begin{aligned} & 128 \pi 129 \pi 131 \pi- \\ & 135 \pi 138 \pi 141 \pi \end{aligned}$ | $\begin{aligned} & 125 \sigma 128 \sigma 131 \sigma- \\ & 135 \sigma 138 \sigma 139 \sigma \end{aligned}$ |
| 6 f | $\begin{aligned} & 22 \\ & (123) \\ & \hline \end{aligned}$ | $\begin{aligned} & 115 \sigma 116 \sigma 121 \pi- \\ & 126 \pi 131 \pi 132 \pi \end{aligned}$ | $\begin{aligned} & 115 \sigma 121 \pi 122 \pi- \\ & 126 \pi 130 \pi 134 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 125 \pi 126 \pi 130 \pi \end{aligned}$ | $\begin{aligned} & 115 \sigma 116 \sigma 122 \sigma- \\ & 126 \sigma 130 \sigma 131 \sigma \end{aligned}$ |

Table 12: Local Molecular Orbital Structure of atoms 12, 14, 15 and 18 of Pyrimidine-Benzimidazol Hybrids.

| Mol | Mol. | Atom 12 | Atom 14 | Atom 15 | Atom 18 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 3 a | $\begin{aligned} & \hline 1 \\ & \text { (87) } \\ & \hline \end{aligned}$ | 85 $886 \pi 871 \mathrm{p}-$ <br> 881p891p90 $\sigma$ | $\begin{aligned} & \hline 83 \sigma 84 \pi 85 \pi- \\ & 88 \pi 89 \pi 92 \pi \end{aligned}$ | $\begin{aligned} & \hline 84 \pi 85 \pi 87 \pi- \\ & 88 \pi 89 \pi 91 \pi \end{aligned}$ | $\begin{aligned} & 83 \sigma 84 \pi 85 \pi- \\ & 88 \pi 89 \pi 91 \pi \end{aligned}$ |
| 3b | $\begin{aligned} & 2 \\ & (95) \\ & \hline \end{aligned}$ | 93п94lp95lp- <br> 961p97lp98б | $\begin{aligned} & \hline 91 \sigma 92 \pi 93 \pi- \\ & 96 \pi 97 \pi 100 \pi \end{aligned}$ | $\begin{aligned} & \hline 92 \pi 93 \pi 95 \pi- \\ & 96 \pi 97 \pi 98 \pi \end{aligned}$ | $\begin{aligned} & \hline 92 \pi 93 \pi 95 \pi- \\ & 96 \pi 97 \pi 98 \pi \end{aligned}$ |
| 4 a | $\begin{aligned} & \hline 3 \\ & (91) \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { 891p90lp91lp- } \\ & \text { 93lp94б96lp } \end{aligned}$ | $\begin{aligned} & 87 \sigma 88 \pi 89 \pi- \\ & 92 \pi 93 \pi 96 \pi \end{aligned}$ | $\begin{aligned} & \hline 87 \sigma 88 \pi 89 \pi- \\ & 92 \pi 93 \pi 95 \pi \end{aligned}$ | $\begin{aligned} & 85 \sigma 88 \pi 89 \pi- \\ & 92 \pi 93 \pi 95 \pi \end{aligned}$ |
| 4b | $\begin{aligned} & 4 \\ & \text { (99) } \\ & \hline \end{aligned}$ | 97lp981p991p- <br> 101lp102lp104lp | $\begin{aligned} & \hline 95 \pi 96 \pi 97 \pi- \\ & 100 \pi 101 \pi 104 \pi \end{aligned}$ | $\begin{aligned} & \hline 95 \pi 96 \pi 97 \pi- \\ & 100 \pi 101 \pi 103 \pi \end{aligned}$ | $\begin{aligned} & \hline 94 \sigma 96 \pi 97 \pi- \\ & 100 \pi 101 \pi 103 \pi \end{aligned}$ |
| 5a | $\begin{aligned} & \hline 5 \\ & (111) \\ & \hline \end{aligned}$ | 109lp110lp111lp- <br> 112lp113lp114б | $\begin{aligned} & 109 \pi 110 \pi 111 \pi- \\ & 112 \pi 113 \pi 117 \pi \end{aligned}$ | $\begin{aligned} & 108 \pi 110 \pi 111 \pi- \\ & 112 \pi 113 \pi 115 \pi \end{aligned}$ | $\begin{aligned} & \hline 106 \pi 108 \pi 111 \pi- \\ & 112 \pi 113 \pi 115 \pi \end{aligned}$ |
| 5b | $\begin{aligned} & \hline 6 \\ & (115) \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline \text { 112lp113lp114lp- } \\ & \text { 116lp117lp118 } \\ & \hline \end{aligned}$ | $\begin{aligned} & 111 \pi 112 \pi 115 \pi- \\ & 116 \pi 117 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & 112 \pi 114 \pi 115 \pi- \\ & 116 \pi 117 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & 111 \pi 112 \pi 115 \pi- \\ & 116 \pi 117 \pi 119 \pi \end{aligned}$ |
| 5 c | $\begin{aligned} & \hline 7 \\ & (111) \end{aligned}$ | 109lp110lp111\|p- <br> 112lp113lp115 $\sigma$ | $\begin{aligned} & 109 \pi 110 \pi 111 \pi- \\ & 112 \pi 113 \pi 117 \pi \end{aligned}$ | $\begin{aligned} & 107 \pi 108 \pi 111 \pi- \\ & 112 \pi 113 \pi 116 \pi \end{aligned}$ | $\begin{aligned} & \hline 107 \pi 108 \pi 111 \pi- \\ & 112 \pi 113 \pi 116 \pi \end{aligned}$ |
| 5d | $\begin{aligned} & 8 \\ & (115) \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { 113lp114\|p115lp- } \\ & \text { 117lp119б121\|p } \\ & \hline \end{aligned}$ | $\begin{aligned} & 112 \pi 113 \pi 114 \pi- \\ & 116 \pi 117 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & 112 \pi 114 \pi 115 \pi- \\ & 116 \pi 117 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & 112 \pi 114 \pi 115 \pi- \\ & 116 \pi 117 \pi 120 \pi \end{aligned}$ |
| 5 e | $\begin{aligned} & \hline 9 \\ & (123) \end{aligned}$ | 121lp122 $11231 p-$ <br> 125lp127o129lp | $\begin{aligned} & 119 \pi 120 \pi 121 \pi- \\ & 124 \pi 125 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 126 \pi \end{aligned}$ | $\begin{aligned} & 121 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 126 \pi \end{aligned}$ |
| $5 f$ | $\begin{aligned} & 10 \\ & (115) \end{aligned}$ | 113 $11141 p 1151 p-$ <br> 117lp118б121lp | $\begin{aligned} & 112 \pi 114 \pi 115 \pi- \\ & 116 \pi 117 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & 112 \pi 114 \pi 115 \pi- \\ & 116 \pi 117 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & 110 \pi 112 \pi 115 \pi- \\ & 116 \pi 117 \pi 119 \pi \end{aligned}$ |
| 5h | $\begin{aligned} & 11 \\ & (107) \end{aligned}$ | 105lp106б107lp- <br> 1081p109lp110б | $\begin{aligned} & 105 \pi 106 \pi 107 \pi- \\ & 108 \pi 109 \pi 113 \pi \end{aligned}$ | $\begin{aligned} & 104 \pi 106 \pi 107 \pi- \\ & 108 \pi 109 \pi 111 \pi \end{aligned}$ | $\begin{aligned} & \hline 104 \pi 106 \pi 107 \pi- \\ & 108 \pi 109 \pi 111 \pi \end{aligned}$ |
| $5 i$ | $\begin{aligned} & 12 \\ & (111) \end{aligned}$ | 109lp110lp111lp- <br> 112lp113lp114б | $\begin{aligned} & 109 \pi 110 \pi 111 \pi- \\ & 112 \pi 113 \pi 117 \pi \end{aligned}$ | $\begin{aligned} & 106 \pi 108 \pi 111 \pi- \\ & 112 \pi 113 \pi 115 \pi \end{aligned}$ | $\begin{aligned} & 106 \pi 108 \pi 111 \pi- \\ & 112 \pi 113 \pi 115 \pi \end{aligned}$ |
| 5 j | $\begin{aligned} & \hline 13 \\ & (123) \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { 121\|p122lp123lp- } \\ & \text { 124\|p125lp126 } \\ & \hline \end{aligned}$ | $\begin{aligned} & 120 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 118 \pi 120 \pi 123 \pi- \\ & 124 \pi 125 \pi 127 \pi \end{aligned}$ |
| 5k | $\begin{aligned} & 14 \\ & (119) \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { 117\|p118lp119\|p- } \\ & \text { 120lp121\|p122 } \end{aligned}$ | $\begin{aligned} & 117 \pi 118 \pi 119 \pi- \\ & 120 \pi 121 \pi 125 \pi \end{aligned}$ | $\begin{aligned} & 115 \pi 116 \pi 119 \pi- \\ & 120 \pi 121 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & 114 \pi 116 \pi 119 \pi- \\ & 120 \pi 121 \pi 123 \pi \end{aligned}$ |
| 51 | $\begin{aligned} & 15 \\ & (111) \end{aligned}$ | 109lp110lp111\|p- <br> 113lp114б117lp | $\begin{aligned} & 108 \pi 109 \pi 110 \pi- \\ & 112 \pi 113 \pi 117 \pi \end{aligned}$ | $\begin{aligned} & 108 \pi 110 \pi 111 \pi- \\ & 112 \pi 113 \pi 117 \pi \end{aligned}$ | $\begin{aligned} & 108 \pi 110 \pi 111 \pi- \\ & 112 \pi 113 \pi 115 \pi \end{aligned}$ |
| 5 m | $\begin{aligned} & \hline 16 \\ & (115) \\ & \hline \end{aligned}$ | 117lp119o121lp | $\begin{aligned} & \hline 111 \pi 112 \pi 113 \pi- \\ & 116 \pi 117 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & \hline 113 \pi 114 \pi 115 \pi- \\ & 116 \pi 117 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & \hline 113 \pi 114 \pi 115 \pi- \\ & 116 \pi 117 \pi 120 \pi \end{aligned}$ |
| 6 a | $\begin{aligned} & \hline 17 \\ & (119) \\ & \hline \end{aligned}$ | 117lp118lp119r- <br> 120lp121lp122б | $\begin{aligned} & 116 \pi 118 \pi 119 \pi- \\ & 120 \pi 121 \pi 125 \pi \end{aligned}$ | $\begin{aligned} & 115 \pi 116 \pi 119 \pi- \\ & 120 \pi 121 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & 114 \pi 116 \pi 119 \pi- \\ & 120 \pi 121 \pi 122 \pi \end{aligned}$ |
| 6b | $\begin{aligned} & 18 \\ & (123) \end{aligned}$ | 120ヶ121\|p122lp- <br> 124lp125Ip126б | $\begin{aligned} & 120 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 126 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 126 \pi \end{aligned}$ |
| 6c | $\begin{aligned} & 19 \\ & (119) \end{aligned}$ | 117lp118\|p119|p- <br> 120lp121lp122б | $\begin{aligned} & 116 \pi 118 \pi 119 \pi- \\ & 120 \pi 121 \pi 125 \pi \end{aligned}$ | $\begin{aligned} & 115 \pi 116 \pi 119 \pi- \\ & 120 \pi 121 \pi 124 \pi \end{aligned}$ | $\begin{aligned} & 115 \pi 116 \pi 119 \pi- \\ & 120 \pi 121 \pi 124 \pi \end{aligned}$ |
| 6d | $\begin{aligned} & 20 \\ & (123) \end{aligned}$ | $\begin{aligned} & \text { 121\|p122lp123lp- } \\ & \text { 125lp126б129/p } \\ & \hline \end{aligned}$ | $\begin{aligned} & 120 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 119 \pi 120 \pi 123 \pi- \\ & 124 \pi 125 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 119 \pi 120 \pi 123 \pi- \\ & 124 \pi 125 \pi 128 \pi \end{aligned}$ |
| 6 e | $\begin{aligned} & 21 \\ & (131) \end{aligned}$ | $\begin{aligned} & \text { 129б130ヶ131lp- } \\ & \text { 133lp135б137lp } \end{aligned}$ | $\begin{aligned} & 127 \pi 128 \pi 130 \pi- \\ & 132 \pi 133 \pi 137 \pi \end{aligned}$ | $\begin{aligned} & 127 \pi 130 \pi 131 \pi- \\ & 132 \pi 133 \pi 137 \pi \end{aligned}$ | $\begin{aligned} & 128 \pi 130 \pi 131 \pi- \\ & 132 \pi 133 \pi 136 \pi \end{aligned}$ |
| $6 f$ | $\begin{aligned} & 22 \\ & (123) \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { 121lp122lp123lp- } \\ & \text { 125lp126б129/p } \\ & \hline \end{aligned}$ | $\begin{aligned} & 120 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 119 \pi 120 \pi 123 \pi- \\ & 124 \pi 125 \pi 126 \pi \end{aligned}$ |

Table 13: Local Molecular Orbital Structure of atoms 19, 20, 24 and 25 of Pyrimidine-Benzimidazol Hybrids.

| Mol | Mol. | Atom 19 | Atom 20 | Atom 24 | Atom 25 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 3a | 1 (87) | $\begin{aligned} & 83 \pi 84 \pi 85 \pi- \\ & 88 \pi 92 \pi 100 \sigma \end{aligned}$ | $\begin{aligned} & 83 \pi 84 \pi 85 \pi- \\ & 88 \pi 89 \pi 90 \pi \end{aligned}$ | $\begin{aligned} & 83 \pi 84 \pi 85 \pi- \\ & 88 \pi 92 \pi 97 \sigma \end{aligned}$ | $\begin{aligned} & 80 \pi 81 \pi 85 \pi- \\ & 88 \pi 89 \pi 01 \pi \end{aligned}$ |
| 3b | 2 (95) | $\begin{aligned} & 91 \pi 92 \pi 93 \pi- \\ & 96 \pi 99 \pi 100 \pi \end{aligned}$ | $\begin{aligned} & 91 \pi 92 \pi 93 \pi- \\ & 96 \pi 97 \pi 99 \pi \end{aligned}$ | $\begin{aligned} & 91 \pi 92 \pi 93 \pi- \\ & 96 \pi 99 \pi 100 \pi \end{aligned}$ | $\begin{aligned} & 89 \sigma 90 \sigma 93 \pi- \\ & 96 \pi 97 \pi 100 \pi \end{aligned}$ |
| 4a | 3 (91) | $\begin{aligned} & \hline 87 \pi 88 \pi 89 \pi- \\ & 92 \pi 95 \pi 96 \pi \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 87 \pi 88 \pi 89 \pi- \\ & 92 \pi 95 \pi 96 \pi \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 87 \pi 88 \pi 89 \pi- \\ & 92 \pi 95 \pi 96 \pi \end{aligned}$ | $\begin{aligned} & \hline 84 \pi 85 \sigma 89 \pi- \\ & 92 \pi 93 \pi 96 \pi \end{aligned}$ |
| 4b | 4 (99) | $\begin{aligned} & 95 \pi 96 \pi 97 \pi- \\ & 100 \pi 103 \pi 104 \pi \end{aligned}$ | $\begin{aligned} & 95 \pi 96 \pi 97 \pi- \\ & 100 \pi 103 \pi 104 \pi \end{aligned}$ | $\begin{aligned} & 95 \pi 96 \pi 97 \pi- \\ & 100 \pi 103 \pi 104 \pi \end{aligned}$ | $\begin{aligned} & \hline 92 \pi 93 \pi 97 \pi- \\ & 100 \pi 101 \pi 104 \pi \end{aligned}$ |
| 5a | 5 (111) | $\begin{aligned} & 106 \pi 107 \pi 108 \pi- \\ & 112 \pi 115 \pi 116 \pi \end{aligned}$ | $\begin{aligned} & 106 \pi 107 \pi 108 \pi- \\ & 112 \pi 113 \pi 115 \pi \end{aligned}$ | $\begin{aligned} & \hline 107 \pi 108 \pi 111 \pi- \\ & 112 \pi 115 \pi 116 \pi \end{aligned}$ | $\begin{aligned} & \hline 102 \pi 108 \pi 111 \pi- \\ & 112 \pi 113 \pi 117 \pi \end{aligned}$ |
| 5b | 6 (115) | $\begin{aligned} & 110 \pi 111 \pi 112 \pi- \\ & 116 \pi 119 \pi 120 \pi \end{aligned}$ | $\begin{aligned} & 110 \pi 111 \pi 112 \pi- \\ & 116 \pi 117 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & 109 \pi 111 \pi 112 \pi- \\ & 116 \pi 119 \pi 120 \pi \end{aligned}$ | $\begin{aligned} & 103 \pi 106 \pi 115 \pi- \\ & 116 \pi 117 \pi 123 \pi \end{aligned}$ |
| 5c | 7 (111) | $\begin{aligned} & 106 \pi 107 \pi 108 \pi- \\ & 112 \pi 116 \pi 117 \pi \end{aligned}$ | $\begin{aligned} & 106 \pi 107 \pi 108 \pi- \\ & 112 \pi 113 \pi 116 \pi \end{aligned}$ | $\begin{aligned} & 107 \pi 108 \pi 111 \pi- \\ & 112 \pi 116 \pi 117 \pi \end{aligned}$ | $\begin{aligned} & \hline 108 \pi 110 \pi 111 \pi- \\ & 112 \pi 113 \pi 117 \pi \end{aligned}$ |
| 5d | 8 (115) | $\begin{aligned} & 110 \pi 111 \pi 112 \pi- \\ & 116 \pi 120 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & 110 \pi 111 \pi 112 \pi- \\ & 116 \pi 117 \pi 120 \pi \end{aligned}$ | $\begin{aligned} & 110 \pi 111 \pi 112 \pi- \\ & 116 \pi 120 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & 113 \pi 114 \pi 115 \pi- \\ & 116 \pi 117 \pi 121 \pi \end{aligned}$ |
| 5 e | 9 (123) | $\begin{aligned} & 119 \pi 120 \pi 121 \pi- \\ & 124 \pi 128129 \pi \end{aligned}$ | $\begin{aligned} & 118 \pi 119 \pi 120 \pi- \\ & 124 \pi 128 \pi 130 \pi \end{aligned}$ | $\begin{aligned} & 119 \pi 120 \pi 121 \pi- \\ & 124 \pi 128 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 122 \pi- \\ & 124 \pi 125 \pi 129 \pi \end{aligned}$ |
| $5 f$ | 10 (115) | $\begin{aligned} & 109 \pi 110 \pi 112 \pi- \\ & 116 \pi 119 \pi 120 \pi \end{aligned}$ | $\begin{aligned} & 109 \pi 110 \pi 112 \pi- \\ & 116 \pi 117 \pi 119 \pi \end{aligned}$ | $\begin{aligned} & 109 \pi 110 \pi 112 \pi- \\ & 116 \pi 119 \pi 120 \pi \end{aligned}$ | $\begin{aligned} & 106 \pi 111 \pi 115 \pi- \\ & 116 \pi 117 \pi 121 \pi \end{aligned}$ |
| 5h | 11 (107) | $\begin{aligned} & 102 \pi 103 \pi 104 \pi- \\ & 108 \pi 111 \pi 112 \pi \end{aligned}$ | $\begin{aligned} & 102 \pi 103 \pi 104 \pi- \\ & 108 \pi 109 \pi 111 \pi \end{aligned}$ | $\begin{aligned} & 103 \pi 104 \pi 107 \pi- \\ & 108 \pi 111 \pi 112 \pi \end{aligned}$ | $\begin{aligned} & 105 \pi 106 \pi 107 \pi- \\ & 108 \pi 109 \pi 113 \pi \end{aligned}$ |
| $5 i$ | 12 (111) | $\begin{aligned} & 105 \pi 106 \pi 108 \pi- \\ & 112 \pi 115 \pi 116 \pi \end{aligned}$ | $\begin{aligned} & 105 \pi 106 \pi 108 \pi- \\ & 112 \pi 113 \pi 115 \pi \end{aligned}$ | $\begin{aligned} & 106 \pi 108 \pi 111 \pi- \\ & 112 \pi 115 \pi 116 \pi \end{aligned}$ | $\begin{aligned} & 108 \pi 110 \pi 111 \pi- \\ & 112 \pi 113 \pi 117 \pi \end{aligned}$ |
| $5{ }^{\text {j }}$ | 13 (123) | $\begin{aligned} & 118 \pi 119 \pi 120 \pi- \\ & 124 \pi 127 \pi 128 \pi \end{aligned}$ | $\begin{aligned} & 118 \pi 119 \pi 120 \pi- \\ & 124 \pi 125 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 119 \pi 120 \pi 123 \pi- \\ & 124 \pi 127 \pi 128 \pi \end{aligned}$ | $\begin{aligned} & 111 \pi 114 \pi 123 \pi- \\ & 124 \pi 125 \pi 129 \pi \end{aligned}$ |
| 5k | 14 (119) | $\begin{aligned} & 114 \pi 115 \pi 116 \pi- \\ & 120 \pi 123 \pi 124 \pi \end{aligned}$ | $\begin{aligned} & 114 \pi 115 \pi 116 \pi- \\ & 120 \pi 121 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & 115 \pi 116 \pi 119 \pi- \\ & 120 \pi 123 \pi 124 \pi \end{aligned}$ | $\begin{aligned} & 110 \pi 116 \pi 119 \pi- \\ & 120 \pi 121 \pi 125 \pi \end{aligned}$ |
| 51 | 15 (111) | $\begin{aligned} & 106 \pi 107 \pi 108 \pi- \\ & 112 \pi 115 \pi 117 \pi \end{aligned}$ | $\begin{aligned} & 106 \pi 107 \pi 108 \pi- \\ & 112 \pi 113 \pi 115 \pi \end{aligned}$ | $\begin{aligned} & 107 \pi 108 \pi 110 \pi- \\ & 112 \pi 115 \pi 117 \pi \end{aligned}$ | $\begin{aligned} & 109 \pi 110 \pi 111 \pi- \\ & 112 \pi 113 \pi 117 \pi \end{aligned}$ |
| 5m | 16 (115) | $\begin{aligned} & 109 \pi 110 \pi 112 \pi- \\ & 116 \pi 120 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & \hline 109 \pi 110 \pi 112 \pi- \\ & 116 \pi 119 \pi 120 \pi \end{aligned}$ | $\begin{aligned} & \hline 110 \pi 112 \pi 113 \pi- \\ & 116 \pi 120 \pi 121 \pi \end{aligned}$ | $\begin{aligned} & \hline 112 \pi 113 \pi 114 \pi- \\ & 116 \pi 117 \pi 121 \pi \end{aligned}$ |
| 6a | 17 (119) | $\begin{aligned} & 114 \pi 115 \pi 116 \pi- \\ & 120 \pi 123 \pi 124 \pi \end{aligned}$ | $\begin{aligned} & 114 \pi 115 \pi 116 \pi- \\ & 120 \pi 121 \pi 123 \pi \end{aligned}$ | $\begin{aligned} & \hline 115 \pi 116 \pi 119 \pi- \\ & 120 \pi 123 \pi 124 \pi \end{aligned}$ | $\begin{aligned} & \text { 110 } \pi 112 \sigma 119 \pi- \\ & 120 \pi 121 \pi 125 \pi \end{aligned}$ |
| 6b | 18 (123) | $\begin{aligned} & 118 \pi 119 \pi 120 \pi- \\ & 124 \pi 127 \pi 128 \pi \end{aligned}$ | $\begin{aligned} & 117 \pi 119 \pi 120 \pi- \\ & 124 \pi 125 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 118 \pi 119 \pi 120 \pi- \\ & 124 \pi 127 \pi 128 \pi \end{aligned}$ | $\begin{aligned} & 115 \pi 116 \sigma 123 \pi- \\ & 124 \pi 125 \pi 132 \pi \end{aligned}$ |
| 6c | 19 (119) | $\begin{aligned} & 114 \pi 115 \pi 116 \pi- \\ & 120 \pi 124 \pi 125 \pi \end{aligned}$ | $\begin{aligned} & 114 \pi 115 \pi 116 \pi- \\ & 120 \pi 121 \pi 124 \pi \end{aligned}$ | $\begin{aligned} & 115 \pi 116 \pi 119 \pi- \\ & 120 \pi 124 \pi 125 \pi \end{aligned}$ | $\begin{aligned} & 116 \pi 118 \pi 119 \pi- \\ & 120 \pi 121 \pi 125 \pi \end{aligned}$ |
| 6d | 20 (123) | $\begin{aligned} & 118 \pi 119 \pi 120 \pi- \\ & 124 \pi 128 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 118 \pi 119 \pi 120 \pi- \\ & 124 \pi 128 \pi 131 \pi \end{aligned}$ | $\begin{aligned} & 119 \pi 120 \pi 123 \pi- \\ & 124 \pi 128 \pi 129 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 122 \pi 123 \pi- \\ & 124 \pi 125 \pi 129 \pi \end{aligned}$ |
| 6 e | 21 (131) | $\begin{aligned} & 127 \pi 128 \pi 130 \pi- \\ & 132 \pi 133 \pi 136 \pi \end{aligned}$ | $\begin{aligned} & 126 \pi 127 \pi 128 \pi- \\ & 132 \pi 136 \pi 139 \pi \end{aligned}$ | $\begin{aligned} & 127 \pi 128 \pi 130 \pi- \\ & 132 \pi 133 \pi 136 \pi \end{aligned}$ | $\begin{aligned} & 128 \pi 129 \pi 130 \pi- \\ & 132 \pi 133 \pi 137 \pi \end{aligned}$ |
| 6 f | 22 (123) | $\begin{aligned} & 117 \pi 118 \pi 120 \pi- \\ & 124 \pi 127 \pi 128 \pi \end{aligned}$ | $\begin{aligned} & 117 \pi 118 \pi 120 \pi- \\ & 124 \pi 125 \pi 127 \pi \end{aligned}$ | $\begin{aligned} & 118 \pi 119 \pi 120 \pi- \\ & 124 \pi 127 \pi 128 \pi \end{aligned}$ | $\begin{aligned} & 116 \sigma 119 \pi 123 \pi- \\ & 124 \pi 125 \pi 129 \pi \end{aligned}$ |

SMMC-7721 cell line:
The beta values (Table 2) indicate that the importance of the variables is $S_{8}^{N}(L U M O+1) *>$ $F_{4}(L U M O+2)^{*}>S_{10}^{N}(L U M O+2)^{*}=F_{7}(L U M O+2)^{*}>F_{15}(L U M O+2)^{*}$ $>F_{24}(\mathrm{HOMO}-2)^{*}$. A variable-by-variable (VbV) analysis of Eq. 2 indicates that a high inhibitory activity is associated with high values for $F_{7}(L U M O+2)^{*}$ and $F_{24}(H O M O-2)^{*}$; and with small values for
$F_{4}(L U M O+2)^{*}$ and $F_{15}(L U M O+2)^{*}$. A high value for $F_{7}(L U M O+2)^{*}\left((L U M O+2)_{7}^{*}\right.$ is a $\sigma$ MO, Table 10, sixth column) suggests that atom 7 (an H or Cl substituent in ring A) should be interacting with an electron-rich center (see Fig. 2). In the case of hydrogen, we can be in the presence of a favorable weak $\pi-\sigma$ interaction between $\mathrm{C}-\mathrm{H}$ and a $\pi$ ring system. In the case of chlorine the interaction can be of the halogen kind. It is very important to notice the change of the local MO structure when replacing a hydrogen atom by a chlorine one: the two frontier local MOs are of $\sigma$ nature in the former and of $\pi$ nature in the latter (Table 10, sixth column). Another important point to mention is that in the case of the H substituent, its local frontier MOs are very far from the molecule's one. In the case of the Cl substituent the local HOMO* is almost coincident with the molecular HOMO, while the local LUMO* approaches the molecule's LUMO. Finally, the fact that $(L U M O+2)_{7}^{*}$ interacts implies that $(L U M O+1)_{7}^{*}$ and $(L U M O)_{7}^{*}$ are also participating in the interaction. A high value for $F_{24}(H O M O-2) *\left((H O M O-2)_{24}^{*}\right.$ is a $\pi$ MO, Table 13, fifth column) suggests that atom 24 is interacting with an electron-deficient center through its first three highest occupied MOs. This interaction could be of the type $\pi$-cation, $\pi$ - $\pi$ or $\pi$-amide one. $(L U M O+2)_{4}^{*},(L U M O+1)_{4}^{*}$ and $(L U M O)_{4}^{*}$ are $\pi$ MOs in all molecules (Table 10 , fourth column). A small value for $F_{4}(L U M O+2) *$ is interpreted as follows. $(L U M O)_{4}^{*}$ and $(L U M O+1)_{4}^{*}$ interact in a favorable manner with an electron-rich center. The kind of interaction could be $\pi-\pi, \pi$-anion, $\pi$-lone pair or $\pi-\sigma$. This interaction could be weakened by an unfavorable interaction of $(L U M O+2)_{4}^{*}$ with the vacant frontier local MO of the counterpart [52,53]. $(L U M O+2)_{15}^{*}$ is a $\pi \mathrm{MO}$ in all molecules (Table 12, fifth column).

A small value for $F_{15}(L U M O+2) *$ can be interpreted exactly as the previous case: an interaction of atom 15 with an electron-rich center through its first two lowest vacant MOs and a modulation of this interaction by an unfavorable one of $(L U M O+2)_{15}^{*}$ with the vacant frontier local MO of the counterpart. $(L U M O+1)_{8}^{*}$ is a $\pi$ MO (Table 11, third column). As $S_{8}^{N}(L U M O+1) *$ is a positive number, a high value for is associated with a high inhibitory activity. Therefore it is suggested that atom 8 (see Fig. 2) is interacting with an electron-rich center through its first two lowest vacant MOs. $(L U M O+2)_{10}^{*}$ is a $\pi \mathrm{MO}$ (Table 11, fifth column). A high value for $S_{10}^{N}(L U M O+2) *$ is required for a high inhibitory activity. Interpreting this as in the prior case, atom 10 (see Fig. 2) is interacting with electron-rich center through its first three lowest vacant MOs. These two interactions can be of $\pi-\pi, \pi$-anion, $\pi$-donor or $\pi$-lone pair kinds. All these suggestions are presented in the two-dimensional (2D) partial pharmacophore of Fig. 10. If atoms 4,8 and 10 have a common interaction site, it could be a $\pi$ ring system.


Figure 10. Partial 2D pharmacophore for the variation of the inhibitory activity against SMMC-7721 cells (Eq. 2).

## MGC-803 cell line:

The beta values (Table 4) indicate that the importance of the variables is $S_{12}^{N}(L U M O+2) *>$ $F_{25}(L U M O+2)^{*}>S_{11}^{N}(L U M O+2)^{*}>F_{4}(L U M O+2)^{*}$. A VbV analysis of Eq. 3 shows that a high inhibitory activity is associated with high values for $F_{25}(L U M O+2)^{*}$ and with small values for $F_{4}(L U M O+2)^{*}$. In the case of the nucleophilic superdelocalizabilities, the constants associated to them in Eq. 3 are positive. They will be analyzed below. $(L U M O+2)_{25}^{*}$ is a $\pi$ MO (Table 13 , sixth column). A high value for this reactivity index strongly suggests that atom 25 is interacting favorably with an electron-rich center through its three lowest vacant MOs. Atom 25 is nitrogen (in the majority of cases), oxygen or chlorine (Table 1). This interaction could be with an anion or with a lone pair.
is a $\pi \mathrm{MO}$ (Table 10, fourth column). A small value for $F_{4}(L U M O+2) *$ can be interpreted as an unfavorable interaction of $(L U M O+2)_{4}^{*}$ with vacant MOs of a counterpart. The favorable interaction occurs through the first two lowest vacant MOs of atom 4 and an electron-rich center (a $\pi$ system, an anion, a lone pair, a donor atom). $(L U M O+2)_{11}^{*}$ is a $\sigma$ MO (all local MOs are of $\sigma$ nature in atom 11). A low value for $S_{11}^{N}(L U M O+2)^{*}$ suggests an unfavorable interaction with other vacant $\sigma$ MOs [52, 53]. Then atom 11 seems to interact with a rich $\sigma$-electron system through its two lowest vacant MOs. Good candidates for these interactions are $\mathrm{CH}_{2}$ groups and $\pi$ systems for example.
$(L U M O+2)_{12}^{*}$ is a lone pair or a $\sigma$ MO (Table 12, third column). A low value for $S_{12}^{N}(L U M O+2)^{*}$ is interpreted by suggesting that $(L U M O)_{12}^{*}$ and $(L U M O+1)_{12}^{*} \mathrm{MOs}$ (of $\sigma$ or lone pair nature) are interacting in a favorable way with a rich-electron counterpart. This interaction seems to be weakened by an unfavorable interaction of $(L U M O+2)_{12}^{*}$ with empty MOs of a moiety of the site. A very important fact to mention is that, as atoms 11 and 12 are bonded, they seem to interact with a common site. All these suggestions are displayed in the 2D partial pharmacophore shown in Fig. 11.


Figure 11. Partial 2D pharmacophore for the variation of the inhibitory activity against MGC-803 cells (Eq. 3).

## MCF-7 cell line:

The beta values (Table 6) indicate that the importance of the variables is $F_{25}(L U M O) *>$ $F_{11}(L U M O+2)^{*}>F_{5}(L U M O+1)^{*}>F_{18}(L U M O+1)^{*}>S_{7}^{E}(H O M O-2)^{*}$. A VbV analysis of Eq. 4 shows that a high inhibitory activity is associated with high values for $F_{25}(L U M O)^{*}, F_{5}(L U M O+1) *$
and $S_{7}^{E}(\mathrm{HOMO}-2)^{*}$; and with small values for $F_{18}(L U M O+1)^{*}$ and $F_{11}(L U M O+2) *$. A high value for $F_{25}(L U M O)^{*}$ can be interpreted in the same way than for the case of the MGC-803 cell line: atom 25 is interacting with an anion or with a lone pair through its lowest vacant MO. A high value for $F_{5}(L U M O+1) *$ suggests that atom 5 is interacting with an electron-rich center through its two lowest vacant MOs. As in the case of the SMMC-7721 cell line, these interactions can be of $\pi-\pi$, $\pi$-anion, $\pi$-donor or $\pi$-lone pair nature. Atom 7, as we said before, is the atom bonded to atom 2 of ring A (see Fig. 2). ( $L U M O+2)_{11}^{*}$ is a $\sigma$ MO in all molecules. A low value for $F_{11}(L U M O+2)^{*}$ suggests a limiting unfavorable interaction of $(L U M O+2)_{11}^{*}$ with empty ( $\sigma$ ) MOs. Atom 11 interacts with a moiety containing occupied $\sigma$ MOs only through its first two lowest vacant MOs. $(\mathrm{HOMO}-2)_{7}^{*}$ is a $\sigma$ MO in 14 molecules and a $\pi$ MO in 8 molecules (Table 10, sixth column). Given that the associated p value is too high (Table 6) we shall not propose an interaction mechanism. This also holds for $F_{18}(L U M O+1)^{*}$. All the above suggestions are displayed in the 2D partial pharmacophore shown in Fig. 12.


Figure 12. Partial 2D pharmacophore for the variation of the inhibitory activity against MCF-7 cells (Eq. 4).

## EC-9706 cell line:

The beta values (Table 8) indicate that the importance of the variables is $s_{14}>F_{4}(L U M O+2) *>$ $S_{2}^{E}(\mathrm{HOMO})^{*}>F_{20}(L U M O+2)^{*}>S_{19}^{E}(\mathrm{HOMO}-1)^{*}>F_{9}(\mathrm{HOMO})^{*}$. A VbV analysis of Eq. 5 shows that a high inhibitory activity is associated with high values for $s_{14}, S_{19}^{E}(H O M O-1) *$ and $S_{2}^{E}(H O M O) *$; and with small values for $F_{4}(L U M O+2) *$ and $F_{20}(L U M O+2) * . F_{9}(H O M O) *$ will not be discussed due to its high $p$ value (Table 8). $s_{14}$ is the local atomic softness of atom 14 and it is defined as the inverse of the $(H O M O)_{14}^{*}-(L U M O)_{14}^{*}$ energy gap. A high value for $s_{14}$ is obtained by diminishing that gap. An examination of Fig. 2 suggests that, in this case, this can be achieved by an appropriate substitution on position 18 or, if rings $C$ and $D$ are coplanar, by substitutions on atoms 20-24. As $S_{14}$ is a number (i.e., it is not associated with a specific MO ) we can make only an educated guess about the kind of interactions of this atom. In all molecules the frontier local MOs are of $\pi$ nature. Atom 14 has a negative net charge. If atom 14 is interacting with a moiety through its $(H O M O)_{14}^{*}$, it can do it with another $\pi$ system, with a cation or with an electron-accepting atom. If it uses its $(L U M O)_{14}^{*}$, it can possibly interact with an anion, a lone pair, a $\pi$ system or an electron-donor atom. $(\mathrm{HOMO}-1)_{19}^{*}$ is a $\pi \mathrm{MO}$ in all molecules (Table 13, third column). A high value for $S_{19}^{E}(\mathrm{HOMO}-1) *$ indicates that atom 19 is interacting with an electron-deficient center through its first two occupied local MOs. This interaction could be with another $\pi$ system, with a cation or with an
electron-acceptor atom. $(\mathrm{HOMO})_{2}^{*}$ is a $\pi$ MO (Table 10, third column). A high value for $S_{2}^{E}(H O M O) *$ suggests that atom 2 is interacting with an electron-deficient center through its first occupied local MO. The kinds of interactions are similar to the ones proposed for atom 19. (LUMO + 2) ${ }_{4}^{*}$ is a $\pi \mathrm{MO}$ (Table 10, fourth column). A small value for $F_{4}(L U M O+2)^{*}$ suggests an unfavorable interaction of this MO with vacant MOs of a moiety that weakens the favorable interaction of $(L U M O)_{4}^{*}$ and $(L U M O+1)_{4}^{*}$ with an electronrich center. A similar analysis is applicable to $F_{20}(L U M O+2)^{*}$. The corresponding 2D partial pharmacophore is shown in Fig. 13.


Figure 13. Partial 2D pharmacophore for the variation of the inhibitory activity against EC-9706 cells (Eq. 5).

## About the nature of the common skeleton:

The common skeleton is a theoretical construct allowing us to detect atoms involved in the interactions with a site. As such, it is dependent on the composition of the set of molecules and the choice of the scientist. For example, in a recent study of the relationships between electronic structure and cytotoxicity of a group of $N^{2}$-alkylated quaternary $\beta$-carbolines against several tumoral cell lines, it was not possible to obtain a common skeleton for all the set [33]. In the case presented here, the observation of Figs. 3-6 shows that too many points are relatively far from the $90 \%$ confidence interval.

On the other hand, the percentage of explanation of Eqs. 2-4 is very low. Disregarding any explanation involving the quality of the experimental results, the abovementioned facts point to the possibility that some molecules have extra interaction sites that are not included in the common skeleton. The examination of Table 1 shows that eighteen molecules have a NH-phenyl moiety. Therefore, we built a new set excluding molecules $1-4$ and expanded the common skeleton with ring E as shown in Fig. 14.


Figure 14. Enlarged common skeleton for the pyrimidine-benzimidazol hybrids.
The results obtained for the enlarged common skeleton are as follows:

## SMMC-7721 cell line:

The best equation is:

$$
\begin{align*}
& \log \left(I C_{50}\right)=-2.04+0.62 \eta_{30}-0.52 S_{26}^{E}(H O M O-2)^{*}-0.01 S_{3}^{N}(L U M O+1)^{*}  \tag{6}\\
& +0.56 F_{30}(L U M O+1)^{*}+0.59 F_{7}(H O M O-1)^{*}
\end{align*}
$$

with $n=16, R=0.98, R^{2}=0.97$, adj. $R^{2}=0.95, F(5,10)=61.48(p<0.000001)$ and a standard error of estimate of 0.05 . No outliers were detected and no residuals fall outside the $\pm 2 \sigma$ limits. No significant correlation exists among independent variables. Here, $\eta_{30}$ is the local hardness of atom 30 , $S_{26}^{E}(\mathrm{HOMO}-2)^{*}$ is the nucleophilic superdelocalizability of the third highest occupied MO localized on atom $26, S_{3}^{N}(L U M O+1)^{*}$ is the nucleophilic superdelocalizability of the second lowest vacant MO localized on atom 3, $F_{30}(L U M O+1)^{*}$ is the Fukui index of the second lowest vacant MO localized on atom 30 and $F_{7}(H O M O-1) *$ is the Fukui index of the second highest MO localized on atom 7 . This equation is statistically significant and the variation of the numerical value of a group of five local atomic reactivity indices of atoms of the common skeleton explains about $95 \%$ of the variation of the inhibitory activity. Fig. 15 displays the plot of observed vs. calculated $\log \left(\mathrm{IC}_{50}\right)$ values.


Figure 15. Observed versus calculated values (Eq. 6) of $\log \left(\mathrm{IC}_{50}\right)$. Dashed lines denote the $95 \%$ confidence interval.

We can see that now nearly all points lie inside or close to the confidence interval. Beta values (not shown) indicate that the importance of variables is $\eta_{30} \gg S_{26}^{E}(H O M O-2)^{*}=S_{3}^{N}(L U M O+1)^{*}>$ $F_{30}(L U M O+1)^{*}>F_{7}(H O M O-1)^{*}$. A high inhibitory activity is associated with low values for $\eta_{30}$, $S_{26}^{E}(H O M O-2)^{*}, F_{30}(L U M O+1)^{*}$ and $F_{7}(H O M O-1)^{*}$; and with a $(L U M O+1)_{3}^{*} \mathrm{MO}$ available for interactions. $\eta_{30}$ is the $(H O M O)_{30}^{*}-(L U M O)_{30}^{*}$ distance (the local atomic hardness). A small value can be obtained by shifting upwards the $(H O M O)_{30}^{*}$ energy, by shifting downwards the $(L U M O)_{30}^{*}$ energy or by both procedures. As $\eta_{30}$ is a number, the nature of the interaction of atom 30 with a counterpart cannot be established for the moment. Table 14 shows the local molecular orbital structure of atoms 26-28 and 30 .

Table 14. Local Molecular Orbital Structure of atoms 26-28 and 30 of Pyrimidine-Benzimidazol Hybrids.

| Mo । | Mol. | Atom 26 | Atom 27 | Atom 28 | Atom 30 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 5a | $\begin{aligned} & \hline 5 \\ & (111) \end{aligned}$ | $\begin{aligned} & \hline 77 \sigma 80 \sigma 94 \sigma- \\ & 121 \sigma 123 \sigma 12 \\ & 4 \sigma \end{aligned}$ | $\begin{aligned} & 102 \pi 108 \pi 11 \\ & 1 \pi- \\ & 112 \pi 113 \pi 11 \\ & 5 \pi \end{aligned}$ | $\begin{aligned} & 106 \pi 107 \pi 111 \\ & \pi- \\ & 112 \pi 113 \pi 115 \\ & \pi \end{aligned}$ | $\begin{aligned} & 102 \pi 108 \pi 11 \\ & 1 \pi- \\ & 112 \pi 113 \pi 11 \\ & 5 \pi \end{aligned}$ |
| 5b | $\begin{aligned} & 6 \\ & (115) \end{aligned}$ | $\begin{aligned} & 81 \sigma 85 \sigma 98 \sigma- \\ & 125 \sigma 127 \sigma 12 \\ & 8 \sigma \end{aligned}$ | $\begin{aligned} & 110 \pi 112 \pi 11 \\ & 5 \pi- \\ & 117 \pi 120 \pi 12 \\ & 1 \pi \end{aligned}$ | $\begin{aligned} & \hline 110 \pi 111 \pi 115 \\ & \pi- \\ & 116 \pi 117 \pi 119 \\ & \pi \\ & \hline \end{aligned}$ | $\begin{aligned} & 106 \pi 112 \pi 11 \\ & 5 \pi- \\ & 116 \pi 117 \pi 11 \\ & 9 \pi \end{aligned}$ |
| 5c | $\begin{aligned} & 7 \\ & (111) \end{aligned}$ | $\begin{aligned} & \hline 80 \sigma 83 \sigma 96 \sigma- \\ & 121 \sigma 123 \sigma 12 \\ & 4 \sigma \end{aligned}$ | $\begin{aligned} & 108 \pi 110 \pi 11 \\ & 1 \pi- \\ & 112 \pi 113 \pi 11 \\ & 4 \pi \end{aligned}$ | $\begin{aligned} & 108 \pi 110 \pi 111 \\ & \pi- \\ & 112 \pi 113 \pi 114 \\ & \pi \\ & \hline \end{aligned}$ | $\begin{aligned} & 105 \pi 108 \pi 11 \\ & 1 \pi- \\ & 114 \pi 116 \pi 11 \\ & 7 \pi \end{aligned}$ |
| 5d | $\begin{aligned} & \hline 8 \\ & (115) \end{aligned}$ | $\begin{aligned} & 83 \sigma 86 \sigma 98 \sigma- \\ & 126128129 \end{aligned}$ | $\begin{aligned} & 113 \pi 114 \pi 11 \\ & 5 \pi- \\ & 116 \pi 117 \pi 11 \\ & 8 \pi \\ & \hline \end{aligned}$ | $\begin{aligned} & 112 \pi 114 \pi 115 \\ & \pi- \\ & 116 \pi 117 \pi 118 \\ & \pi \\ & \hline \end{aligned}$ | $\begin{aligned} & 112 \pi 114 \pi 11 \\ & 5 \pi- \\ & 118 \pi 120 \pi 12 \\ & 1 \pi \\ & \hline \end{aligned}$ |
| 5 e | $\begin{aligned} & \hline 9 \\ & (123) \end{aligned}$ | $\begin{aligned} & 89 \sigma 92 \sigma 108 \sigma \\ & - \\ & 133 \sigma 135 \sigma 13 \\ & 6 \sigma \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 12 \\ & 2 \pi- \\ & 124 \pi 125 \pi 12 \\ & 6 \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 122 \\ & \pi- \\ & 124 \pi 125 \pi 126 \\ & \pi \end{aligned}$ | $\begin{aligned} & 120 \pi 121 \pi 12 \\ & 2 \pi- \\ & 124 \pi 125 \pi 12 \\ & 6 \pi \end{aligned}$ |
| 5 f | $\begin{aligned} & 10 \\ & (115) \end{aligned}$ | $\begin{aligned} & 84 \sigma 85 \sigma 98 \sigma- \\ & 125 \sigma 127 \sigma 12 \\ & 8 \sigma \end{aligned}$ | $\begin{aligned} & 111 \pi 112 \pi 11 \\ & 5 \pi- \\ & 116 \pi 117 \pi 11 \\ & 9 \pi \end{aligned}$ | $\begin{aligned} & 111 \pi 112 \pi 115 \\ & \pi- \\ & 116 \pi 117 \pi 120 \\ & \pi \\ & \hline \end{aligned}$ | $\begin{aligned} & 106 \pi 111 \pi 11 \\ & 5 \pi- \\ & 116 \pi 117 \pi 11 \\ & 9 \pi \end{aligned}$ |
| 5h | $\begin{aligned} & 11 \\ & (107) \end{aligned}$ | $\begin{aligned} & \hline 76 \sigma 79 \sigma 92 \sigma- \\ & 117 \sigma 119 \sigma 12 \\ & 0 \sigma \end{aligned}$ | $\begin{aligned} & 104 \pi 106 \pi 10 \\ & 7 \pi- \\ & 108 \pi 109 \pi 11 \\ & 1 \pi \end{aligned}$ | $\begin{aligned} & 104 \pi 106 \pi 107 \\ & \pi- \\ & 108 \pi 109 \pi 111 \\ & \pi \\ & \hline \end{aligned}$ | $\begin{aligned} & 105 \pi 106 \pi 10 \\ & 7 \pi- \\ & 108 \pi 109 \pi 11 \\ & 1 \pi \end{aligned}$ |
| $5 i$ | $\begin{aligned} & 12 \\ & (111) \end{aligned}$ | $\begin{aligned} & 80 \sigma 81 \sigma 94 \sigma- \\ & 121 \sigma 123 \sigma 12 \\ & 4 \sigma \end{aligned}$ | $\begin{aligned} & 108 \pi 110 \pi 11 \\ & 1 \pi- \\ & 112 \pi 113 \pi 11 \\ & 5 \pi \end{aligned}$ | $\begin{aligned} & 107 \pi 110 \pi 111 \\ & \pi- \\ & 112 \pi 113 \pi 116 \\ & \pi \end{aligned}$ | $\begin{aligned} & 102 \pi 107 \pi 11 \\ & 1 \pi- \\ & 116 \pi 119 \pi 12 \\ & 5 \pi \end{aligned}$ |
| 5j | $\begin{aligned} & 13 \\ & (123) \end{aligned}$ | $\begin{aligned} & 88 \sigma 89 \sigma 104 \sigma \\ & - \\ & 133 \sigma 135 \sigma 13 \\ & 6 \sigma \end{aligned}$ | $\begin{aligned} & 114 \pi 120 \pi 12 \\ & 3 \pi- \\ & 124 \pi 125 \pi 12 \\ & 7 \pi \end{aligned}$ | $\begin{aligned} & 118 \pi 119 \pi 123 \\ & \pi- \\ & 124 \pi 125 \pi 127 \\ & \pi \end{aligned}$ | $\begin{aligned} & 114 \pi 120 \pi 12 \\ & 3 \pi- \\ & 124 \pi 125 \pi 12 \\ & 7 \pi \end{aligned}$ |
| 5k | $\begin{aligned} & 14 \\ & (119) \end{aligned}$ | $\begin{aligned} & 82 \sigma 86 \sigma 101 \sigma \\ & - \\ & 129 \sigma 131 \sigma 13 \\ & 2 \sigma \end{aligned}$ | $\begin{aligned} & 110 \pi 116 \pi 11 \\ & 9 \pi- \\ & 120 \pi 121 \pi 12 \\ & 3 \pi \end{aligned}$ | $\begin{aligned} & 114 \pi 115 \pi 119 \\ & \pi- \\ & 120 \pi 121 \pi 123 \\ & \pi \end{aligned}$ | $\begin{aligned} & 115 \pi 116 \pi 11 \\ & 9 \pi- \\ & 124 \pi 125 \pi 12 \\ & 7 \pi \end{aligned}$ |
| 51 | $\begin{aligned} & 15 \\ & (111) \end{aligned}$ | $\begin{aligned} & \hline 80 \sigma 83 \sigma 96 \sigma- \\ & 121 \sigma 123 \sigma 12 \\ & 4 \sigma \end{aligned}$ | $\begin{aligned} & 109 \pi 110 \pi 11 \\ & 1 \pi- \\ & 112 \pi 113 \pi 11 \\ & 5 \pi \end{aligned}$ | $\begin{array}{\|l\|} \hline 109 \pi 110 \pi 111 \\ \pi- \\ 112 \pi 113 \pi 116 \\ \pi \\ \hline \end{array}$ | $\begin{aligned} & 107 \pi 108 \pi 11 \\ & 0 \pi- \\ & 116 \pi 117 \pi 11 \\ & 8 \pi \end{aligned}$ |
| 5 m | $\begin{aligned} & 16 \\ & (115) \end{aligned}$ | $\begin{aligned} & \hline 82 \sigma 86 \sigma 98 \sigma- \\ & 128 \sigma 129 \sigma 13 \\ & 0 \sigma \end{aligned}$ | $\begin{aligned} & 112 \pi 113 \pi 11 \\ & 4 \pi- \\ & 116 \pi 117 \pi 11 \\ & 8 \pi \end{aligned}$ | $\begin{aligned} & 111 \pi 113 \pi 114 \\ & \pi- \\ & 116 \pi 117 \pi 118 \\ & \pi \end{aligned}$ | $\begin{aligned} & 112 \pi 113 \pi 11 \\ & 4 \pi- \\ & 116 \pi 117 \pi 11 \\ & 8 \pi \end{aligned}$ |
| 6a | $\begin{aligned} & 17 \\ & (119) \end{aligned}$ | $\begin{array}{\|l\|} \hline 83 \sigma 84 \sigma 98 \sigma- \\ 130 \sigma 132 \sigma 13 \\ 3 \sigma \\ \hline \end{array}$ | $\begin{aligned} & 115 \pi 116 \pi 11 \\ & 9 \pi- \\ & 120 \pi 121 \pi 12 \end{aligned}$ | $\begin{aligned} & 115 \pi 116 \pi 119 \\ & \pi- \\ & 120 \pi 121 \pi 124 \\ & \hline \end{aligned}$ | $\begin{aligned} & 110 \pi 116 \pi 11 \\ & 9 \pi- \\ & 120 \pi 121 \pi 12 \end{aligned}$ |


|  |  |  | $3 \pi$ | $\pi$ | $3 \pi$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 6b | 18 | $87 \sigma 88 \sigma 102 \sigma$ | $118 \pi 120 \pi 12$ | $118 \pi 119 \pi 123$ | $119 \pi 120 \pi 12$ |
|  | $(123)$ | - | $3 \pi-$ | $\pi-$ | $3 \pi-$ |
|  |  | $134 \sigma 136 \sigma 13$ | $125 \pi 128 \pi 12$ | $124 \pi 125 \pi 128$ | $127 \pi 128 \pi 13$ |
|  | $7 \sigma$ | $9 \pi$ | $\pi$ | $2 \pi$ |  |
| 6c | 19 | $85 \sigma 86 \sigma 99 \sigma-$ | $116 \pi 118 \pi 11$ | $112 \pi 113 \pi 119$ | $116 \pi 118 \pi 11$ |
|  | $(119)$ | $130 \sigma 132 \sigma 13$ | $9 \pi-$ | $\pi-$ | $9 \pi-$ |
|  |  | $3 \sigma$ | $120 \pi 121 \pi 12$ | $120 \pi 121 \pi 123$ | $120 \pi 121 \pi 12$ |
|  |  |  | $3 \pi$ | $\pi$ | $3 \pi$ |
| 6d | 20 | $88 \sigma 89 \sigma 102 \sigma$ | $120 \pi 122 \pi 12$ | $117 \pi 122 \pi 123$ | $120 \pi 122 \pi 12$ |
|  | $(123)$ | - | $3 \pi-$ | $\pi-$ | $3 \pi-$ |
|  |  | $135 \sigma 137 \sigma 13$ | $124 \pi 125 \pi 12$ | $124 \pi 125 \pi 127$ | $124 \pi 125 \pi 12$ |
|  |  | $8 \sigma$ | $7 \pi$ | $\pi$ | $7 \pi$ |
| $6 e$ | 21 | $94 \sigma 96 \sigma 111 \sigma$ | $121 \pi 128 \pi 13$ | $125 \pi 128 \pi 130$ | $128 \pi 129 \pi 13$ |
|  | $(131)$ | -142144145 | $0 \pi-$ | $\pi-$ | $0 \pi-$ |
|  |  |  | $132 \pi 133 \pi 13$ | $132 \pi 133 \pi 134$ | $132 \pi 133 \pi 13$ |
|  |  |  | $4 \pi$ | $\pi$ | $4 \pi$ |
| 6f | 22 | $87 \sigma 89 \sigma 101 \sigma$ | $119 \pi 120 \pi 12$ | $119 \pi 120 \pi 123$ | $114 \pi 119 \pi 12$ |
|  | $(123)$ | - | $3 \pi-$ | $\pi-$ | $3 \pi-$ |
|  |  | $134 \sigma 136 \sigma 13$ | $124 \pi 125 \pi 12$ | $124 \pi 125 \pi 128$ | $124 \pi 125 \pi 12$ |
|  |  | $7 \sigma$ | $7 \pi$ | $\pi$ | $7 \pi$ |

On the other hand, $(L U M O+1)_{30}^{*}$ is a $\pi$ MO (Table 14 , sixth column). A low value for $F_{30}(L U M O+1)^{*}$ could be an indication of an unfavorable interaction of atom 30 with vacant MOs of a moiety. Then it is suggested that atom 30 is interacting in a favorable way with an electron-rich center (a $\pi$ system, an anion or an electron-donor atom) through its $(L U M O)_{30}^{*}$. If this is the case, then $\eta_{30}$ should be diminished by shifting downwards the $(L U M O)_{30}^{*}$ energy and keeping the condition $(H O M O)_{30}^{*}=$ HOMO . In the case of atom 26, Table 14 shows that the occupied and vacant local MOs are very far from the frontier MOs. (HOMO -2$)_{26}^{*}$ is a $\sigma$ MO (Table 14, third column). A small value for $S_{26}^{E}(H O M O-2)^{*}$ can be interpreted by suggesting that $(H O M O-1)_{26}^{*}$ and $(H O M O)_{26}^{*}$ are engaged in attractive interactions with vacant $\sigma$ MOs of the site. $(\mathrm{HOMO}-2)_{26}^{*}$ seems to weaken this interaction probably through a repulsive interaction with a $\sigma$ occupied MO in the site. As this atom has a noticeable positive net charge, it is expected that it interacts with a negatively charged moieties such as anions, electrondonor atoms or a $\pi$ system having vacant $\sigma$ MOs. An available $(L U M O+1)_{3}^{*}(a \pi M O)$ is taken as an indication that atom 3 is engaged in a favorable interaction with an electron-rich center through its two lowest vacant MOs. $(\mathrm{HOMO}-1)_{7}^{*}$ is a $\sigma$ or $\pi \mathrm{MO}$. A low value for $F_{7}(H O M O-1) *$ is interpreted by stating that atom 7 interacts in a favorable way with an electron-deficient center through its $(\mathrm{HOMO})_{7}^{*}$, and that $(\mathrm{HOMO}-1)_{7}^{*}$ weakens this interaction.

No finer interpretation is possible for the moment. All the above suggestions are displayed in the 2D partial pharmacophore shown in Fig. 16.


Figure 16. Partial 2D pharmacophore for the variation of the inhibitory activity against SMMC-7721 cells (Eq. 6 ).

MGC-803 cell line:


Figure 17. Observed versus calculated values (Eq. 7) of $\log \left(\mathrm{IC}_{50}\right)$. Dashed lines denote the $95 \%$ confidence interval.
The best equation is:
$\log \left(I C_{50}\right)=-7.37+1.33 \eta_{30}-2.10 S_{12}^{E}($ HOMO -1$) *-0.29 S_{27}^{E}(H O M O-2) *$
$-1.06 S_{17}^{E}(\mathrm{HOMO}-2)$ *
with $n=17, R=0.96, R^{2}=0.91$, adj. $R^{2}=0.89, F(4,12)=31.97$ ( $p<0.000001$ ) and a standard error of estimate of 0.18 . No outliers were detected and no residuals fall outside the $\pm 2 \sigma$ limits. No significant correlation exists among independent variables. Here, $\eta_{30}$ is the local hardness of atom 30, $S_{12}^{E}(H O M O-1)^{*}$ is the electrophilic superdelocalizability of the second highest occupied MO localized on atom 12, $S_{27}^{E}(\mathrm{HOMO}-2)^{*}$ is the electrophilic superdelocalizability of the third highest occupied MO localized on atom 27 and $S_{17}^{E}(H O M O-2)^{*}$ is the electrophilic superdelocalizability of the third highest occupied MO localized on atom 17. This equation is statistically significant and the variation of the numerical
value of a group of four local atomic reactivity indices of atoms of the common skeleton explains about $89 \%$ of the variation of the inhibitory activity. Fig. 17 displays the plot of observed vs. calculated $\log \left(\mathrm{IC}_{50}\right)$ values. We can see that now almost all points lie inside or close to the confidence interval. There are three exceptions.

Beta values (not shown) indicate that the importance of variables is $\eta_{30} \gg S_{27}^{E}(H O M O-2) *>$ $S_{12}^{E}(\mathrm{HOMO}-1) *>S_{17}^{E}(\mathrm{HOMO}-2)^{*}$. A high inhibitory activity is associated with low values for all four reactivity indices. A low value for $\eta_{30}$ can be interpreted in the same way that in the anterior case. But, as here we have not another LARI related to atom 30, we cannot make an educated guess about the nature of the possible interaction(s). (HOMO-2) ${ }_{27}^{*}$ is a $\pi$ MO (Table 14, fourth column). A low value for $S_{27}^{E}(H O M O-2)^{*}$ suggests that atom 27 is interacting with an electron-deficient site through its first two highest occupied MOs and that an unfavorable interaction of $(\mathrm{HOMO}-2)_{27}^{*}$ with occupied MOs of the site weakens the interaction.
$(H O M O-1)_{12}^{*}$ is a $\pi$ or lone pair MO of the sulphur atom (Fig. 2 and Table 12, third column). A low value for $S_{12}^{E}(H O M O-1)^{*}$ could be an indication of an unfavorable interaction of $(H O M O-1)_{12}^{*}$ with one or more occupied MOs. Atom 12 interacts with an electron-deficient site through its $(H O M O)_{12}^{*}$. $(\mathrm{HOMO}-2)_{17}^{*}$ is a $\sigma$ MO. A low value for $S_{17}^{E}(\mathrm{HOMO}-2)^{*}$ suggests that $(\mathrm{HOMO}-2)_{17}^{*}$ has an unfavorable interaction with occupied MOs of the site. $(\mathrm{HOMO}-1)_{17}^{*}$ is of $\sigma$ nature and $(\mathrm{HOMO})_{17}^{*}$ of $\pi$ nature. Atom 17 seems then to interact with an electron-deficient center. Due to the diverse nature of $(\mathrm{HOMO})_{17}^{*}$ and $(\mathrm{HOMO}-1)_{17}^{*}$, the nature of the interaction cannot be established with certainty. All these suggestions are presented in the 2D partial pharmacophore shown in Fig. 18.


Figure 18. Partial 2D pharmacophore for the variation of the inhibitory activity against MGC-803 cells (Eq. 7).

## MCF-7 cell line:

The best equation is:
$\log \left(I C_{50}\right)=0.97+0.004 S_{30}^{N}(L U M O+2)^{*}+0.69 S_{7}^{E}(H O M O) *$
$+6.92 F_{4}(L U M O+2)^{*}+0.002 S_{24}^{N}(L U M O+2) *-0.39 F_{28}(L U M O+1) *$
with $\mathrm{n}=16, \mathrm{R}=0.97, \mathrm{R}^{2}=0.95$, adj. $\mathrm{R}^{2}=0.92, \mathrm{~F}(5,10)=35.73$ ( $\mathrm{p}<0.000001$ ) and a standard error of estimate of 0.12 . No outliers were detected and no residuals fall outside the $\pm 2 \sigma$ limits. No significant correlation exists among independent variables. Here, $S_{30}^{N}(L U M O+2) *$ is the nucleophilic superdelocalizability of the third lowest MO localized on atom $30, S_{7}^{E}(H O M O)^{*}$ is the electrophilic superdelocalizability of the highest occupied MO localized on atom $7, F_{4}(L U M O+2)^{*}$ is the Fukui index of the third lowest vacant MO
localized on atom 4, $S_{24}^{N}(L U M O+2)^{*}$ is the nucleophilic superdelocalizability of the third lowest MO localized on atom 24 and $F_{28}(L U M O+1) *$ is the Fukui index of the second lowest MO localized on atom 28. This equation is statistically significant and the variation of the numerical value of a group of five local atomic reactivity indices of atoms of the common skeleton explains about $92 \%$ of the variation of the inhibitory activity. Figure 19 displays the plot of observed vs.
calculated $\log \left(\mathrm{IC}_{50}\right)$ values. We can see that now almost all points lie inside or close to the confidence interval.


Figure 19. Observed versus calculated values (Eq. 8) of $\log \left(\mathrm{IC}_{50}\right)$. Dashed lines denote the $95 \%$ confidence interval.

Beta values (not shown) indicate that the importance of variables is $S_{7}^{E}(H O M O) *>$ $F_{4}(L U M O+2)^{*}=S_{30}^{N}(L U M O+2)^{*}>S_{24}^{N}(L U M O+2)^{*}>\left(F_{28}(L U M O+1)^{*}\right)$. A high inhibitory activity is associated with high values for $F_{28}(L U M O+1)^{*}$ and $S_{7}^{E}(H O M O)^{*}$; with a low value for $F_{4}(L U M O+2)^{*}$ and with reactive $(L U M O+2)_{30}^{*}$ and $(L U M O+2)_{24}^{*} \mathrm{MOs}$.
$F_{28}(L U M O+1) *$ will not be discussed due to its high p value (not shown). (HOMO) ${ }_{7}^{*}$ is a $\sigma$ or $\pi$ MO (Table 10, sixth column). A high value for $S_{7}^{E}(H O M O) *$ suggests that in some molecules atom 7 is interacting with an electron-deficient center through its occupied frontier $\pi$ local MO (a $\pi$ system, a cation and/or an electron acceptor atom). If $(\mathrm{HOMO})_{7}^{*}$ is a $\sigma$ MO and there is an interaction, it could be with a cation or with $\sigma$ empty MOs. $(L U M O+2)_{4}^{*}$ is a $\pi$ MO (Table 10, fourth column). A low value for $F_{4}(L U M O+2)^{*}$ is suggestive of, for example, an unfavorable interaction with vacant $\pi$ MOs of the site. Atom 4 interacts with an electron-rich center ( $a \pi$ system, an anion and/or an electron-donor atom) through its first two lowest vacant MOs. $(L U M O+2)_{30}^{*}$ is a $\pi$ MO (Table 14, sixth column). It is suggested that atom 30 interacts with an electron-rich center (another $\pi$ system, an anion and/or an electron-donor atom) through its three lowest vacant MOs.
$(L U M O+2)_{24}^{*}$ is a $\pi$ MO (Table 13, fifth column). Atom 24 has the same kind of interactions than atom 30 . Figure 20 displays the associated 2D pharmacophore.


Figure 20. Partial 2D pharmacophore for the variation of the inhibitory activity against MCF-7 cells (Eq. 8).
EC-9706 cell line:
The best equation is:

$$
\begin{align*}
& \log \left(I C_{50}\right)=0.92+0.47 S_{2}^{E}(H O M O)^{*}+0.005 S_{30}^{N}(L U M O+2)^{*}+  \tag{9}\\
& 4.93 F_{4}(L U M O+2)^{*}+0.71 F_{23}(L U M O+2)^{*}
\end{align*}
$$

with $n=16, R=0.94, R^{2}=0.89$, adj. $R^{2}=0.85, F(4,11)=14.55$ ( $p<0.00003$ ) and a standard error of estimate of 0.15 . No outliers were detected and no residuals fall outside the $\pm 2 \sigma$ limits. No significant correlation exists among independent variables. Here, $S_{2}^{E}(H O M O)^{*}$ is the electrophilic superdelocalizability of the highest MO localized on atom $2, S_{30}^{N}(L U M O+2) *$ is the nucleophilic superdelocalizability of the third lowest vacant MO localized on atom $30, F_{4}(L U M O+2) *$ is the Fukui index of the third lowest vacant MO localized on atom 4 and $F_{23}(L U M O+2) *$ is the Fukui index of the third lowest vacant MO localized on atom 23. This equation is statistically significant and the variation of the numerical value of a group of five local atomic reactivity indices of atoms of the common skeleton explains about $85 \%$ of the variation of the inhibitory activity. Fig. 21 displays the plot of observed vs. calculated $\log \left(\mathrm{IC}_{50}\right)$ values. We can see that now almost all points lie inside or close to the confidence interval. There is a point located relatively far from the confidence interval.


Figure 21. Observed versus calculated values (Eq. 9) of $\log \left(\mathrm{IC}_{50}\right)$. Dashed lines denote the $95 \%$ confidence interval.

Beta values (not shown) indicate that the importance of variables is $S_{2}^{E}(\mathrm{HOMO}) *>$ $S_{30}^{N}(L U M O+2)^{*}>F_{4}(L U M O+2)^{*}>\left(F_{23}(L U M O+2)^{*}\right)$. A high inhibitory activity is associated with a high value for $S_{2}^{E}(H O M O) *$, low values for $F_{4}(L U M O+2) *$ and $F_{23}(L U M O+2) *$ and with an available $(L U M O+2)_{30}^{*} \mathrm{MO}$ for interactions. $F_{23}(L U M O+2)^{*}$ will not be discussed due to its high p value (not shown). (HOMO) ${ }_{2}^{*}$ is a $\pi$ MO (Table 10, third column). A high value for $S_{2}^{E}(H O M O) *$ suggests that atom 2 interacts with an electron-deficient moiety (another $\pi$ system, an anion and/or an electron donor atom for example). $(L U M O+2)_{30}^{*}$ is a $\pi M O$ (Table 14 , sixth column). The analysis is the same than for the anterior cell line case: atom 30 interacts with an electron-rich center ( $a \pi$ system, an anion and/or an electrondonor atom) through its three lowest vacant MOs. $(L U M O+2)_{4}^{*}$ is a $\pi$ MO (Table 10, fourth column). A low value for $F_{4}(L U M O+2)^{*}$ suggests an unfavorable interaction of $(L U M O+2)_{4}^{*}$ with vacant MOs of the site. Atom 4 in interacting in a favorable way with an electron-rich center through its two lowest vacant MOs. Figure 22 displays the corresponding 2D pharmacophore.


Figure 22. Partial 2D pharmacophore for the variation of the inhibitory activity against SEC-9706 cells (Eq. 9).
The enlarged skeleton has risen the percentage of explanation in three of four cases. In SMMC-7721 cells the percentage of explanation rose from $82 \%$ to $95 \%$, in MGC- 803 cell from $70 \%$ to $89 \%$ and in MCF- 7 cell from $78 \%$ to $92 \%$. In the case of SEC-9706 cells, the percentage diminished from $90 \%$ to $85 \%$. Now, if we merge the two partial pharmacophores of each cell line, we obtain the final pharmacophores shown in Figs. 23-26.


Figure 23. Partial 2D pharmacophore for the variation of the inhibitory activity against MCF-7 cells obtained by the merging the corresponding two pharmacophores.


Figure 24. Partial 2D pharmacophore for the variation of the inhibitory activity against EC-9706 cells obtained by the merging the corresponding two pharmacophores.


Figure 25. Partial 2D pharmacophore for the variation of the inhibitory activity against MGC-803 cells obtained by the merging the corresponding two pharmacophores.


Figure 26. Partial 2D pharmacophore for the variation of the inhibitory activity against SMMC-7721 cells obtained by the merging the corresponding two pharmacophores.

It is interesting to note that for each cell line there are no contradictions among the two corresponding partial pharmacophores. Accepting that for a given cell line all molecules exert their inhibitory
activity at the same (unknown) site, it is not necessary that the common skeleton interacts with the same moieties of the site. In a very recent QSAR and docking study of $N$-benzylphenethylamines interacting with the $5-\mathrm{HT}_{2 B}$ receptor (unpublished) it is shown that, for example, a given atom or moiety of the common skeleton is able to have the same kind of interaction but with different amino acids. Then, for cases such as atom 7 (see Fig. 2), there can be different sites for the interaction with $\pi$ or $\sigma$ MOs. Also, it was shown that a given moiety of $N$-benzylphenethylamines can interact with two or more residues in different ways. In the cases studied here, the lack of knowledge of the action mechanism(s) does not allow to go deeper in our analysis. A last general comment. It is curious to notice that in most papers reporting cytoxicity and/or antiproliferative activity of series of molecules results concerning healthy cell lines are not presented. We understand that the final scope of these kinds of studies is finding compounds with action(s) against tumoral cells without harming normal ones.

## CONCLUSIONS

We have obtained statistically significant results for the antiproliferative activity of the title compounds against four human cancer cell lines. From the results the corresponding 2D partial pharmacophores associated with high inhibitory activity have been built. These structures should help the experimentalists in the search of new compounds. The nature of the results obtained here strongly suggests that the molecules act at a single site in each cell line.

## REFERENCES

[1] AM Alafeefy; AE Ashour; O Prasad; L Sinha; S Pathak, et al., Eur. J. Med. Chem., 2015, 92, 191-201.
[2] KM Amin; SM Abou-Seri; FM Awadallah; AAM Eissa; GS Hassan; MM Abdulla, Eur. J. Med. Chem., 2015, 90, 221-231.
[3] D Bandyopadhyay; JL Sanchez; AM Guerrero; F-M Chang; JC Granados, et al., Eur. J. Med. Chem., 2015, 89, 851-862.
[4] R Bollu; JD Palem; R Bantu; V Guguloth; L Nagarapu, et al., Eur. J. Med. Chem., 2015, 89, 138-146.
[5] H Chen; F Xu; X Liang; B-B Xu; Z-L Yang, et al., Bioorg. Med. Chem. Lett., 2015, 25, 285-287.
[6] K-G Cheng; C-H Su; L-D Yang; J Liu; Z-F Chen, Eur. J. Med. Chem., 2015, 89, 480-489.
[7] WM Eldehna; A Altoukhy; H Mahrous; HA Abdel-Aziz, Eur. J. Med. Chem., 2015, 90, 684-694.
[8] WM Eldehna; HS Ibrahim; HA Abdel-Aziz; NN Farrag; MM Youssef, Eur. J. Med. Chem., 2015, 89, 549560.
[9] MM Gamal El-Din; MI El-Gamal; MS Abdel-Maksoud; KH Yoo; C-H Oh, Eur. J. Med. Chem., 2015, 90, 45-52.
[10] E Hejchman; P Taciak; S Kowalski; D Maciejewska; A Czajkowska, et al., Pharmacological Reports, 2015, 67, 236-244.
[11] X-C Huang; L Jin; M Wang; D Liang; Z-F Chen, et al., Eur. J. Med. Chem., 2015, 89, 370-385.
[12] MM Kandeel; HM Refaat; AE Kassab; IG Shahin; TM Abdelghany, Eur. J. Med. Chem., 2015, 90, 620632.
[13] D Kathirvelan; J Haribabu; BSR Reddy; C Balachandran; V Duraipandiyan, Bioorg. Med. Chem. Lett., 2015, 25, 389-399.
[14] RM Kumbhare; TL Dadmal; MJ Ramaiah; KSV Kishore; SNCVL Pushpa Valli, et al., Bioorg. Med. Chem. Lett., 2015, 25, 654-658.
[15] K Kuroiwa; H Ishii; K Matsuno; A Asai; Y Suzuki, ACS Med. Chem. Lett., 2015,
[16] C Le Floch; E Le Gall; S Sengmany; P Renevret; E Léonel, et al., Eur. J. Med. Chem., 2015, 89, 654-670.
[17] AM Mahran; SS Ragab; Al Hashem; MM Ali; AA Nada, Eur. J. Med. Chem., 2015, 90, 568-576.
[18] A Martorana; C Gentile; U Perricone; AP Piccionello; R Bartolotta, et al., Eur. J. Med. Chem., 2015, 90, 537-546.
[19] VFS Pape; D Türk; P Szabó; M Wiese; EA Enyedy; G Szakács, J. Inorg.Biochem., 2015, 144, 18-30.
[20] AM Sajith; KK Abdul Khader; N Joshi; MN Reddy; M Syed Ali Padusha, et al., Eur. J. Med. Chem., 2015, 89, 21-31.
[21] Shamsuzzaman; A Mashrai; H Khanam; M Asif; A Ali, et al., J. King Saud Univ. Sci., 2015, 27, 1-6.
[22] JB Shi; WJ Tang; XB qi; R Li; XH Liu, Eur. J. Med. Chem., 2015, 90, 889-896.
[23] Y Song; Z Xin; Y Wan; J Li; B Ye; X Xue, Eur. J. Med. Chem., 2015, 90, 695-706.
[24] G-H Yan; X-F Li; B-C Ge; X-D Shi; Y-F Chen, et al., Eur. J. Med. Chem., 2015, 90, 251-257.
[25] DI Pino-Ramírez; JS Gómez-Jeria, Amer. Chem. Sci. J., 2014, 4, 554-575.
[26] D Muñoz-Gacitúa; JS Gómez-Jeria, J. Comput. Methods Drug Des., 2014, 4, 48-63.
[27] D Muñoz-Gacitúa; JS Gómez-Jeria, J. Comput. Methods Drug Des., 2014, 4, 33-47.
[28] JS Gómez-Jeria; J Valdebenito-Gamboa, Der Pharma Chem., 2014, 6, 383-406.
[29] JS Gómez-Jeria, J. Comput. Methods Drug Des., 2014, 4, 38-47.
[30] JS Gómez-Jeria, Der Pharma Chem., 2014, 6, 64-77.
[31] JS Gómez-Jeria, Brit. Microbiol. Res. J., 2014, 4, 968-987.
[32] JS Gómez-Jeria, Int. Res. J. Pure App. Chem., 2014, 4, 270-291.
[33] F Gatica-Díaz; JS Gómez-Jeria, J. Comput. Methods Drug Des., 2014, 4, 79-120.
[34] JS Gómez-Jeria; M Flores-Catalán, Canad. Chem. Trans., 2013, 1, 215-237.
[35] K-P Shao; X-Y Zhang; P-J Chen; D-Q Xue; P He, et al., Bioorg. Med. Chem. Lett., 2014, 24, 3877-3881.
[36] JS Gómez-Jeria, Canad. Chem. Trans., 2013, 1, 25-55.
[37] JS Gómez-Jeria, Elements of Molecular Electronic Pharmacology (in Spanish), Ediciones Sokar, Santiago de Chile, 2013.
[38] T Bruna-Larenas; JS Gómez-Jeria, Int. J. Med. Chem., 2012, 2012 Article ID 682495, 1-16.
[39] JS Gómez-Jeria, Int. J. Quant. Chem., 1983, 23, 1969-1972.
[40] JS Gómez-Jeria, II Far. (Ed. Sci). 1985, 40, 299-302.
[41] JS Gómez-Jeria, "Modeling the Drug-Receptor Interaction in Quantum Pharmacology," in Molecules in Physics, Chemistry, and Biology, J. Maruani Ed., vol. 4, pp. 215-231, Springer Netherlands, 1989.
[42] JS Gómez-Jeria; M Ojeda-Vergara; C Donoso-Espinoza, Mol. Engn., 1995, 5, 391-401.
[43] JS Gómez-Jeria; M Ojeda-Vergara, J. Chil. Chem. Soc., 2003, 48, 119-124.
[44] MJ Frisch; GW Trucks; HB Schlegel; GE Scuseria; MA Robb, et al., Gaussian98 Rev. A.11.3, Gaussian, Pittsburgh, PA, USA, 2002.
[45] JS Gómez-Jeria, D-Cent-QSAR: A program to generate Local Atomic Reactivity Indices from Gaussian log files. 1.0, Santiago, Chile, 2014.
[46] JS Gómez-Jeria, J. Chil. Chem. Soc., 2009, 54, 482-485.
[47] Statsoft, Statistica 8.0, 2300 East 14 th St. Tulsa, OK 74104, USA, 1984-2007.
[48] U Varetto, Molekel 5.4.0.8, Swiss National Supercomputing Centre: Lugano, Switzerland, 2008.
[49] RD Dennington; TA Keith; JM Millam, GaussViev 5.0.8, GaussViev 5.0.8, 340 Quinnipiac St., Bldg. 40, Wallingford, CT 06492, USA, 2000-2008.
[50] Hypercube, Hyperchem 7.01, 419 Phillip St., Waterloo, Ontario, Canada, 2002.
[51] Chemaxon, MarvinView, www.chemaxon.com, USA, 2014.
[52] E Joselevich, ChemPhysChem, 2004, 5, 619-624.
[53] E Joselevich, Ang. Chem. Int. Ed., 2004, 43, 2992-2994.


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